

POPOVA, M.I.; ZVEREV, V.A.

Use of torpedo from detonating blast hole for cleaning oil-
well filters. Nefteprom. delo no.2:172'63 (MIRA 172'7)

1. Krasnokamskoye neftepromyslovoye upravleniye.

ZVEREV, V.A.

AUTHOR: Vasil'yev, V.G., Docent SOV/144-59-9-1/15
Apparatus; and Zverev, V.A., Assistant
Acting Head of the Chair of Electrical
TITLE: Electronic Analoguing of the Hysteresis Characteristics
of Magnetic Materials
PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Elektromekhanika, 1959, Nr 9, pp 3-10 (USSR)

ABSTRACT: A number of articles dealing with electronic analogues
(Kogan and Rozenblat, Refs 1, 2) have given a description
of the circuits which are suitable for analoguing a
simple rhomboic hysteresis loop. Two such circuits are
shown in Figs 1 and 2. The circuit of Fig 1 consists of
a limiter, a memory element and an amplifier. The
insensitive zone or the width of the hysteresis loop is
determined by the cut-off voltages of the limiter diodes,
while the slope of the loop is determined by the output
amplifier. The circuit of Fig 2 comprises an adding
amplifier, a limiter and a memory device which is in the
form of an integrator. If one of the above circuits is
fitted with a functional converter, whose parameters are
designed in accordance with the hysteresis loop of actual
ferromagnetic material, it is possible to obtain a ✓

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characteristic which would coincide with the actual function $B = f(H)$. An example of such a device is shown in Fig 3. The system is based on the circuit of Fig 1. The difference between the circuits of Fig 3 and Fig 1 lies in the fact that the output amplifier of the latter is replaced by a functional converter. The functional transformation consists of three linear segments, whose limit points are determined by the cut-off voltages of the diodes, while the slope is determined by the ratio of the total resistance of the feedback circuit to the input resistance. Hysteresis loops obtained by this circuit are shown in Fig 4. Analysis of the characteristics obtained by this device shows that the loops can be analogued only approximately. A different circuit is therefore suggested. This is shown in Fig 5. The device is suitable for the analoguing of the so-called "preliminary hysteresis loop". The circuit of Fig 5 is characterised by the fact that the analogue amplifier is preceded not by one but by a series of condensers. Each of the condensers is connected to the input of the

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amplifier through a suitable diode limiter. The relationship between the output and the input signals of this type of analogue is expressed by

$$U_{BX} = U_{BX} \frac{C_{BX}}{C_0} = U_{BX} \operatorname{tg} \alpha, \quad (1)$$
$$\alpha = \operatorname{arc} \operatorname{tg} \frac{C_{BX}}{C_0}$$

where C_{BX} is the capacitance at the input of the amplifier, C_0 is the capacitance in the feedback circuit, and α is the slope of the transfer characteristic. The coefficients of the circuit of Fig 5 are indicated in Table 1. The loop taken by means of the analogue of Fig 5 is shown in Fig 6, while the partial-symmetrical and non-symmetrical cycles (taken by the circuit) are illustrated in Fig 7. Further circuits, similar to that of Fig 5, are illustrated in Figs 8 and 9; the circuit of Fig 8 consists of a limiter, a functional memory device, an integrator and a functional converter; the circuit of Fig 9 consists of a functional converter, a functional

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memory device and an integrating amplifier. The parameters of these circuits can be determined graphically by the method of successive approximations. The loops and partial-symmetrical and non-symmetrical cycles analogued by the circuit of Fig 9 are illustrated in Fig 10; the actual loops and partial cycles are shown in Fig 11.

There are 11 figures, 3 tables and 3 Soviet references, one of which is translated from English.

ASSOCIATION: Kafedra elektricheskikh apparatov, Khar'kovskiy
politekhnicheskii institut (Chair of Electrical
Apparatus, Khar'kov Polytechnical Institute)

Card 4/4

SUBMITTED: May 15, 1959

SHALYTKIN, N.L.; ZVEREV, V.A. (Gor'kiy)

Fastening with a metallic nail in rupture of the tubercle of the
tibia. Ortop., travm. protex. 17 no.5:64 S-0 '56. (MLRA 10:1)
(TIBIA--FRACTURE)

1. Kolkhoz "Voskhod", Krasnopol'yanskoye, V.I., Zootekhnika

Year-round raising of broiler chicks on the "Voskhod" Collective
Farm. Zhivotnovodstvo 21 no.5:52-57 My '59.(MIRA 12:7)

1. Kolkhoz "Voskhod," Krasnopol'yanskogo rayona, Moskovskoy
oblasti (for Zverev).
(Poultry)

AUTHOR: Zverev, V. A.

6-58-3-8/16

TITLE: A Calculation of the Deformation Profile of the Correction Surface in the Rectifying Glass of Aerophotographic Apparatus (Raschet profilya deformirovaniya korrektsionnoy poverkhnosti vyравnivayushchego stekla v aerofotoapparatakh)

PERIODICAL: Geodeziya i Kartografiya, 1958, Nr 3, pp. 40 - 43 (USSR)

ABSTRACT: In his paper (Geodeziya i Kartografiya, 1958, Nr 3, pp. 37 - 39) Professor M. M. Rusinov gave formulae for the calculation of the deformation of the first surface of the rectifying glass in aerophotographic apparatus for the purpose of compensating the residual distortion of the optical system. An example of the calculation according to this formula is given here. From the comparison of the profile abscissa of the deformed surface with the amount of distortion to be corrected is to be seen that the amount of deformation is higher than the amount of distortion. Therefore the technical tolerances in the treatment of the deformed surface of the recti-

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6-58-3-8/16

A Calculation of the Deformation Profile of the Correction Surface in the
Rectifying Glass of Aerophotographic Apparatus

fyng glass need not be especially strict. There are 2 figures
and 1 table.

AVAILABLE: Library of Congress

1. Photographic equipment--Characteristics

Card 2/2

ZVEREV, Vitaliy Arkad'yevich, assistant

Actual ferromagnetic material in electronic models of magnetic elements. Izv. vys. ucheb. zav.; elektromekh. 5 no.5:563-565 '62. (MIRA 15:5)

1. Kafedra elektricheskikh apparatov Khar'kovskogo politekhnicheskogo instituta.

(Cores (Electricity))

(Ferrates--Electromechanical analogies)

CHESNOKOV, N.D.; ZVEREV, V.A.; Principali uchastnye: BOLDANOVA, N.G.; BELIKOV,
P.Ye.; FOMINSKIY, M.K.; BAZHENOV, M.M.

Making roll cast iron in an acid open-hearth furnace. Lit. proizv.
no.2:4-7 F '63. (MIRA 16:3)

(Cast iron--Metallurgy)

ZVEREV, V.I.; BRODSKIY, L.H.

Industrial use of furniture panels with sawdust cores. Der.prom.5
no.8:18-19 Ag '56. (MLRA 9:10)

1.Khar'kovskiy mebel'nyy kombinat imeni Shcherba.
(Furniture industry)

ZVEREV, V.I.

Device for determining the brand of steel. Mashinostroitel' no.4:
17 Ap '65. (MIRA 18:5)

ZVEREV, V.I.: BRODSKIY, L.N.

Finishing radio cabinets with grained paper. Der. prom. 6 no.9:21-22
S '57. (MIRA 10:11)

1. Khar'kovskiy mebel'nyy kombinat im. Shchorsa,
(Cabinetwork) (Graining) (Paper products)

ZVEREV
APPROVED FOR RELEASE: Thursday, September 26, 2002

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1"

"Cases of Reconnecting Coils in Power Transformers," Elek. Stan., no. 2, 1949. Engr.

STENNIKOVA, M.I.; ZYKOV, S.I.; MILOVICHY, A.V.; BUREVIN, Yu.A.; ZVEREV, V.L.

Age of the metamorphic and metasomatic rocks of the Mugodzhar Hills.
Vost.Mosk.univ.4: Geol. 19 no.5:42-46 (20) 1964.

(MIRA 17:12)

1. Kafedra geokhimi Moskoverskogo universiteta.

ZVEREV, VI. (g.Penza)

Workers of the evening and night shifts do not get due
attention. Sov.profsoiuzy 7 no.15:42-44 Ag '59.

(Penza--Night work)

(MIRA 12:12)

ZVEREV, V.M.

A good manual. ("Rug manufacture" by B.N. Fedosenko, A.G. Utkina.
Reviewed by V.M. Zverev). Tekst. prom. 17 no.8:63 Ag '57. (MLRA 10:9)

1. Glavnyy inzhener Moskovskoy fabriki imeni Markova.
(Rugs) (Fedosenko, B.N.) (Utkina, A.G.)

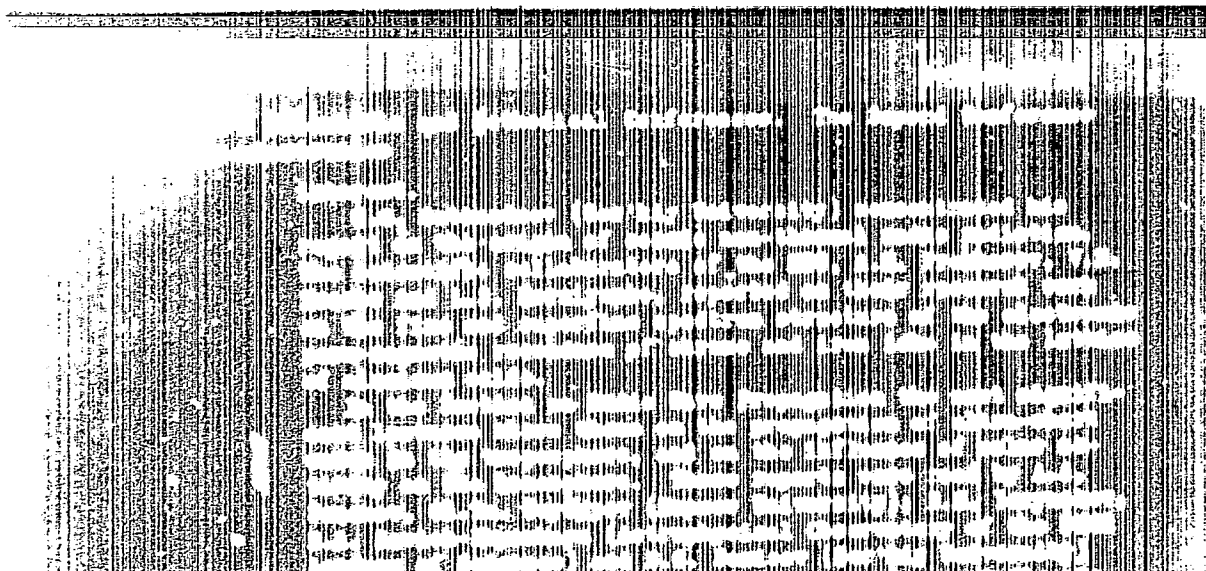
SERKOVA, V.I.; ZVEREV, V.M.

Synthesis of asymmetric dimethyl-phenyl-n-methoxyphenylacetylenyl
ethylene glycol. Trudy LTI no.59:19-21 '61.

(MIRA 17:9)

"APPROVED FOR RELEASE: Thursday, September 26, 2002
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CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1"



ZVEREV, V. N.

ZVEREV, V. N. Ocherk poleznykh iskopaemykh Iakutskoi respubliky. (IN Vittenburg, P. V.
ed. Iakutiia; sbornik statei. Leningrad, AN SSSR, 1927, p. 165-196)
DLC: DK771.Y2W2
CSt CST-H CtY ICU MIU NN

ZVEREV, V.P.

Chemical composition of atmospheric precipitation on the
Caucasian coast of the Black Sea. Dokl. AN SSSR 142 no.5:1158-
1161 F '62. (MIRA 15:2)

1. Predstavleno akademikom D.I. Shcherbakovym.
(Black Sea region--Precipitation(Meteorology))

REZANOV, I.A.; NGO TKHYONG SHAN; SHEYNMANN, Yu.M.; RATS, M.V.; KRUG, O.Yu.;
ZYRYANOV, V.N.; RAKCHEYEV, A.D.; YAKOVLEVA, Ye.B.; PETROVA, M.A.;
PETROV, Yu.I.; KUZNETSOV, Ye.A.; YUDINA, V.V.; BARDINA, N.Yu.;
SIMANOVICH, I.M.; ATANSYAN, S.V.; SERGEYEVA, A.M.; PARFENOV, S.I.;
RUTKOVSKI, Yatsek [Rutkowski, Jacek]; MAKHLINA, M.Kh.; ZVEREV, V.P.;
TERNOVSKAYA, V.T.; SAMOYLOVA, R.B.; YERMAKOVA, K.A.; BYKOVA, N.K.;
MEYYEN, S.V.; BARSKOV, I.S.; IL'INA, L.B.; BABANOVA, L.I.;
DOLITSKAYA, I.V.; GORBACH, L.P.; BUTS'KO, S.S.; TRESKINSKIY, S.A.;
SVOZDETSKIY, N.A.; PRYALVKHINA, A.F.; GROSVAl'D, M.G.; MODEL', Yu.M.;
GORVAINOVA, I.N.; MEDVEDEVA, N.K.; MYALO, Ye.G.; DOEROVOL'SKIY, V.V.;
KHOROSHILOV, P.I.; CHIKISHEV, A.G.

Brief news. Biul. MOIP. Otd. geol. 40 no.3:122-154 My-Je '65.
(MIRA 18:8)

ZVEREV, V.P.

Sulfate-calcium equilibrium in underground waters. Dokl. AN SSSR
164 no.2:403-405 S '65. (MIRA 18:9)

1. Proizvodstvennyy i nauchno-issledovatel'skiy institut po
inzhenernym izyskaniyam v stroitel'stve. Submitted January
20, 1965.

ZVEREV, V.P.

Role of the chemical composition of the atmospheric precipitation
in the formation of ground waters in the Medvenka Basin. Trudy Lab.
gidrogeol. probl. 45:62-66 '62. (MIRA 15:6)
(Medvenka Valley--Water, Underground--Composition)
(Medvenka Valley--Precipitation (Meteorol. g.))

ZVEREV, V.P.

Conditions governing the formation of calcite crystals in bottom
sediments of Lake Sevan. Trudy Lab.gidrogeol.probl. 45:85-89 '62.
(MIRA 15:6)

(Sevan,Lake--Calcite crystals)

ZVEREV, V.S.

Faultless fabrics. Tekst. prom. 20 no. 11:86 N '60.

(MIRA 13:12)

(Moscow--Woolen and worsted manufacture--Labor productivity)

SECRET, U.S.

Production line for the finishing of woolen fabrics. Tekst.prom.21
no.1:94 Ja '61. (MIRA 14:3)
(Woolen and worsted manufacture)

ZVEREV, V.S.

New automatic looms. Tekst.prom. 21 no.2:91 Ja '61.

(MIRA 14:3)

(Looms)

OL'KHOVSKIY, I.A.; ZVEREV, V.S.; KRINICHANSKAYA, L.A.; P.rinimali uchastiye:
BUNIM, L.L.; TAINKIN, A.S.; RUDNITSKIY, B.I.

Increasing the resistance of firebox hearths in steam boilers
with liquid slag removal. Ogneupory 30 no.12:16-19 '65.

(MIRA 18:12)

1. Krasnodarskiy filial Nauchno-issledovatel'skogo instituta po
montazhnym i spetsial'nym stroitel'nym rabotam (for Ol'khovskiy,
Zverev, Krinichanskaya).

ABEL'SKAYA, N. B.; GRACHEVA, Ye. G.; YERSHOVA, Z. V.; ZVEREV, V. S.;
MASLOVSKAYA, V. V.; RUDAYA, L. Ya.

Preparation of long-lived Bi²¹⁰. Radiokhimiya 4 no.3:377-378
'62. (MIRA 15:10)

(Bismuth--Isotopes)

EVERY, V.S.

Promote the manufacture of nonwoven materials by all means.
Tekst. prom. 20 no. 12:86 D '60. (MIRA 13:12)
(Nonwoven fabrics)

S/186/62/004/003/022/022
EO75/E436

AUTHORS: Abel'skaya, N.B., Gracheva, Ye.G., Yershova, Z.V.,
Zverev, V.S., Maslovskaya, V.V., Rudaya, L.Ya.

TITLE: Preparation of long-lived Bi²¹⁰

PERIODICAL: Radiokhimiya, v.4, no.3, 1962, 377-378

TEXT: To confirm the investigations with isomer Bi²¹⁰,
reported by L.I.Rusinov, it was essential to obtain a sample of
Bi containing a large quantity of the isomer and a minimum quantity
of other radioactive admixtures. The metallic Bi subjected to
irradiation was thoroughly purified from Po and the elements
activated by neutrons Zn, Ag, Cd, Co, Sr, Sb, Se, Te. ✓
A sample of Bi enriched in Bi²¹⁰ was obtained from the purified Bi.

SUBMITTED: May 29, 1961

Card 1/1

Awards for efficiency promoters and inventors. Tekst. prom. 21
no. 4:90 Ap '61. (MIRA 14:7)
(Moscow Province--Textile industry--Technological innovations)

PROPERTIES AND PROPERTIES, N.C.

Colorimetric determination of small quantities of silica in solutions, minerals and technical products. I. P. Minin and A. S. Zvyayev. *Dokl. Akad. Nauk SSSR* 1931, No. 4, 15 pp (1931). A critical survey of gravimetric and colorimetric methods for the determination of small quantities of SiO_2 . The method of Thurner and Wendenbucke, based on the formation of H_2SiO_3 by H_2O , gives the best results. By this method amounts of SiO_2 from 5 to 0.005% can be determined. The presence of large amounts of mineral acids and their easily hydrolyzable salts interferes and it is then recommended to add NaOAc . The effects of P and Fe present in the solution were counteracted by the addition of excess H_2SO_4 , which destroys the

colored phosphomolybdate complex and forms a colorless acid phosphate of Fe. The phosphomolybdate color can also be removed by means of tartaric or citric acids. The effect of F is avoided by the addition of AlCl_3 , which forms H_2AlF_6 from H_2SiF_6 . A complete bibliography for 1882 to 1932 inclusive is given. S. L. Madorsky

ASB-11-A METALLURGICAL LITERATURE CLASSIFICATION

FROM DIVISION

SECTION

SPICED 417 000 101

RELATIONS

NO. 117 100 101

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410

2-1

Colorimetric determination of small quantities of silica in solutions, minerals, and technical products. I. P. Almazan and V. B. Rykova (Trans. Inst. Econ. Min. U.S.S.R., 1984, No. 63, 15 pp.). A crit. survey. Dierckx and Wandershaete's method, based on the formation of $H_2SiO_3(Mo_2O_7)_2$, is best for 0.005–5% SiO_2 . In presence of large amounts of mineral acids and their hydrolyzable salts, NaOAc should be added. The effects of P and Fe are counteracted by adding excess of H_3PO_4 . The phosphomolybdate colour can also be removed with tartaric or citric acid. The effect of F is avoided by adding $AlCl_3$, which forms H_2AlF_6 from H_2SiF_6 . (M. Ans. (c))

ASB-ISA METALLURGICAL LITERATURE CLASSIFICATION

EDOM SYMBOLE

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1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	68	69	70	71	72	73	74	75	76	77	78	79	80	81	82	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98	99	100
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MACHERET, L.I., inzh.; ZVEREV, V.V., inzh.

Choice of the angle of the superimposition and the width
of paper tape in insulating high-voltage cables. Vest.
elektroprom. 31 no.8:45-47 Ag '60. (MIRA 15:5)
(Electric cables)
(Electric insulators and insulation)

MACHERET, L.I., inzh.; ZVEREV, V.V., inzh.

Insulation machines for the manufacture of high-voltage cables.
Vest. elektroprom. 31 no.11:53-56 N '60. (MIRA 13:12)
(Electric cables)

DNESTROVSKIY, Nikolay Zel'manovich; POMERANTSEV, Sergey Nikolayevich
[deceased]; ZVEREV, V.Y. [deceased]; SHPICHINET'SKIY, Ye.S., kand.
tekh. nauk, retsenzent; POSTNIKOV, N.N., inzh., retsenzent; RZHEZ-
NIKOV, V.S., red.; KOSOLAPOVA, E.F., red. izd-va; BERLOV, A.P., tekhn.
red.

[Brief manual on the treatment of nonferrous metals and alloys] Krat-
kii spravochnik po obrabotke tsvetnykh metallov i splavov. Moskva,
Gos. nauchno-tekhn. izd-vo lit-ry po cherno i tsvetnoi metallurgii,
1961. 410 p. (MIRA 14:8)

(Nonferrous metals)

(Metalwork)

1. MAGIDSON, O. Yu., FEDOTOVA, M.V., ZVEREV, V.V.,

2. USSR (600)

"Quinoline Compounds as a Source of Medical Preparation--VIII. Anesthetics of the Series of Amides of Chinchonic Acid," Zhur. Obsch. Khim. 9, No 22, 1939. Synthetic and Pharmacological Dept., All-Union Sci-Res Inst imeni S. Ordzhonikidze, Moscow. Received 17 June 1939.

9. Report U-1626, 11 Jan 1952.

The method of biological evaluation of Indian hemp according to Straub and Gayer--V. V. Zverev. *Bull. Neuch. Institut Chim.-Farm. Inst.* 1131, 100-10.--- The biol. evaluation of Indian hemp in the form an alc. and acetone exn. was found to be in accordance with the method introduced by Straub and Gayer. The expl. procedure is described. A. A. Reubtinsk

ASM-A METALLURGICAL LITERATURE CLASSIFICATION

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1. The first step is to identify the problem or question that needs to be answered. This involves understanding the context and the specific requirements of the task.

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Testing of bile stimulants. V. V. Zverev, *Khm.*
Farm. Prom. 1935, No. 2, 124-8 (1935). Rabbits tested
by Stransky's method showed that high bile stimulation
is produced by hexamethylenetetramine and decholin.
I. Nasurevich

11H

ASB-SLA METALLURGICAL LITERATURE CLASSIFICATION

GROUPS										SUBJECTS									
A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20

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ACC NR 117002801

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1

SOURCE CODE: UR/0144/66/000/009/1032/1037

AUTHOR: Shukshunov, V. Ye.; Zverev, V. V.

CNC: none

TITLE: Automatic compensation for dynamic error of temperature transducers with high thermal inertia

SOURCE: IVUZ. Elektromekhanika, no. 9, 1966, 1032-1037

TOPIC TAGS: temperature transducer, circuit design

ABSTRACT: The scientific research laboratory of automation of production processes at the Novochoerkassk Polytechnical Institute has developed and tested a circuit designed for correction of dynamic error in thermoreceptors with time constants from 800 seconds to 1/10 second. The principle of the electric correction is series connection of the temperature transducer and a connecting link whose transfer function is the inverse of the transfer function of the transducer. Since the transfer functions of industrial thermoreceptors can be approximated by an inertial link of first, second or higher orders, the correcting link must be a first, second or higher order differentiating link. The device developed is based on an operational amplifier with automatic zero stabilization and flexible feedback. Orig. art. has: 3 figures and 14 formulas. [JPRS: 39,183]

SUB CODE: 09 / SUBM DATE: 30Dec64 / ORIG REF: 003

Card 1/1

UDC: 62-52+681.2.083.8

BELUGIN, D.A., kandidat voyennykh nauk, polkovnik; ZVEREV, V. Ye.,
polkovnik; DANILIN, V.N., inzhener-polkovnik; VOROB'YEV, P.A.
polkovnik, redaktor; KONOVALOVA, Ye.K., tekhnicheskii redaktor.

[Artillery reconnaissance by instruments; a textbook for
artillery schools] Artilleriiskaya instrumental'naya razvedka;
uchebnik dlia artilleriiskikh uchilishch. Moskva, Voen.izd-vo
M-va obor.SSSR, 1956. 483 p. (MIRA 10:6)
(Military reconnaissance)
(Artillery, Field and mountain)

SOV/110-58-11-16/28

AUTHORS: Zverev, V.V. (Engineer), and Utrobin, B.V. (Engineer).

TITLE: Theory and Practice of Packing Copper and Aluminium Cores of Power Cables (Teoriya i praktika uplotneniya mednykh i alyuminiyevykh zhil silovykh kabeley).

PERIODICAL: Vestnik Elektromyshlennosti, Nr.11, 1958, pp.56-60, (USSR).

ABSTRACT: Heavy-section power cables are stranded for flexibility; then the conductors are packed by compression in special rollers to increase the filling factor and reduce the external diameter. The benefits that result from this process are enumerated. A simplified account is given of the processes that occur during the packing of the conductors. The process is considered one layer at a time and it is assumed that the first layer is packed before the second lay is applied. In the usual construction, where the conductors are not packed in this way, all the strands are of the same diameter, but with the packed construction each radial layer should contain wires smaller in diameter than those beneath it so that

Card 1/2

SOV/110-58-11-16/28
Theory and Practice of Packing Copper and Aluminium Cores of Power Cables.

the wires lie correctly on the underlying packed layers. Equations are given by means of which wire diameters for successive layers may be calculated. Expressions are also given for the external diameters of conductors. The equipment required for packing conductors in the factory is described. The rolls used to pack the conductors are of special profile and a description of these is given. Types of profile used are sketched in Figs. 2, 3 & 4. There are 5 figures, 1 table.

SUBMITTED: April 24, 1957.

1. Electric cables--Cores
2. Electric cables--Construction

Card 2/2

SOV/110-58-11-22/28

AUTHORS: Pashchenko, V.Ye. (Engineer) and Zverev, V.V. (Engineer)

TITLE: Discussion of Engineer I.V. Kuranov's Article (Po povodu stat'yi Inzh. I.V. Kuranova).

PERIODICAL: Vestnik Elektromyashennosti, Nr.11, 1958, p.71, (USSR)

ABSTRACT: This is a discussion of the previous article on "Increasing the output of cable-making machinery". These authors claim that although Kuranov's ideas are all right in principle, his approach is over-simplified. For example, cable-making machines with armouring heads usually have additional heads for applying paper, and these cannot necessarily be speeded-up in the same way. In particular, it is difficult to maintain constant tension of the paper at variable machine speeds. Kuranov's suggestion may be applicable to simple machines with no paper-winding heads, provided that it is possible to change all the reels at once, but even then the increase in output will not be so great as he claims. Each

Card 1/2

SOV/110-58-11-22/28

Discussion of Engineer I.V. Kuranov's Article.

particular case must be examined on its merits.

1. Electric cables--Production 2. Machines--Performance

Card 2/2

ZVEREV, V. A.

APPROVED FOR RELEASE: Thursday, September 26, 2002
APPROVED FOR RELEASE: Thursday, September 26, 2002

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1

Wireless Engineer
June 1954
Acoustics and Audio Frequencies

①
"Modulation Method of Measurement of Ultrasonic Dispersion," V. A. Zverev (C. R. Acad. Sci. U.R.S.S., 1st Aug. 1953, Vol. 86, No. 4, pp. 791-794. In Russian). This method was used in the experimental determination of dispersion in a long Ni wire, using a 1-Mc/s ultrasonic wave modulated at 100 kc/s. Fractional differences of velocity down to $\sim 2.4 \times 10^{-5}$ were readily observed.

[Handwritten signature]
19/6/54

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"APPROVED FOR RELEASE: Thursday, September 26, 2002 CIA-RDP86-00513R002065710009-1"
GUDOVICH, G.A., inzhener; ZVEREV, V.A., inzhener; OSIPOV, A.M., inzhener.

Automatic reclosing diagrams for switches of remote controlled
units. Elek.sta. 25 no.2:51-52 F '54. (MIRA 7:2)
(Electric switchgear)

✓ 1921. A CAPACITIVE ANALYSER OF A SOUND FIELD. 534.231
V.A. Zverev, V.M. Bokor and N.P. Lys't.
Akust. Zh., Vol. 1, No. 3, 218-20 (1955). In Russian.
An experiment is described in which the sound field in a
liquid is investigated by means of the variation of the permit-
tivity with pressure in the medium. In water a change of per-
mittivity at 5 Mc/s of the order of 10^{-4} is obtained for a sound
frequency 85 kc/s and pressure change of 10^4 bars.
C.R.S. Minors

Gorkiy Res. Phys.-Tech. Inst., Gorkiy State U.

✓ 4908. THE PROBLEM OF INTERACTION OF SOUND WAVES. A.O. Gornik and V.A. Zyukov. Akust. Zh., Vol. 1, No. 4, 1977, (1977), 14. In Russian. A method similar to that of J.L. Serfaty can be employed for detecting and studying acoustic wave interaction in fluids. The very small modulation caused by this interaction can be detected but its amplitude and phase can also be determined. C.R.S. M. dera

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Gorki Physical Research Institute, Gorki State University, Gorki

"Modulation Method for Measurements of Ultrasonic Dispersion" paper presented at
2nd International Congress on Acoustics, Cambridge, Mass., 17-23 June 1956.

So: B-100200

~~ZVEREV, V.A.~~

Feasibility of absolute calibration of sound emitters and receivers
using radiation pressure as a basis and not using a radiometer.
Akust.zhur.2 no.4:378-379 O-D '56. (MIRA 10:1)

1. Gor'kovskiy issledovatel'skiy fiziko-tekhnicheskiy institut pri
Gor'kovskom gosudarstvennom institute.
(Sound--Measurement)

ZVEREV, V.A.

46-4-3/17

AUTHOR: Zverev, V.A.

TITLE: The Effect of Directivity of a Receiving System on the Mean Intensity of a Signal Received as a Result of Scattering.
(Vliyaniye napravlenosti priyemnogo ustroystva na srednyuyu intensivnost' signala, prinyimayemogo za schet rasseyaniya)

PERIODICAL: Akusticheskiy Zhurnal, 1957, Vol.III, Nr 4, pp.329-336
(USSR)

ABSTRACT: There are two ways of discussing the propagation of waves in a medium with small random non-uniformities in the refractive index. Obukhov (Ref.5), Chernov (Ref.4), and a number of other workers have solved the problem of amplitude and phase fluctuations of a wave at some point on the wave front as functions of the distance L traversed by the wave in a non-uniform medium. In papers concerned with scattering of waves (Refs.1, 2 and 3) the mean intensity of scattered radiation at some angle θ to the direction of the wave vector of the undisturbed wave is computed. Which of these two methods is adopted depends on the directivity of the receiving and transmitting antennae.

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46-4-3/17

The Effect of Directivity of a Receiving System on the Mean
Intensity of a Signal Received as a Result of Scattering.

In fact, in the case of non-directional antennae, the dimensions of which are much less than the wavelength, the first method is used. The second method is used in the case of very directional antennae. However, it is shown in the present paper that these criteria are insufficient. In addition, one must know the "directivity of the radiation from the non-uniformities" (this concept is defined in the present paper). Expressions are derived for the dependence of the mean intensity of the received scattered intensity on the directivity of the receiving system. It is assumed that the scattering takes place on non-uniformities in the speed of propagation of the waves and that the scattering volume is in the Fraunhofer region relative to the receiving system. It is shown that in order to obtain the scattered intensity it is sufficient to know the correlation function in directions perpendicular to the distances which do exceed the dimensions of the receiver. There are 2 Russian and 3 English references.

Card 2/3

46-4-3/17

The Effect of Directivity of a Receiving System on the Mean Intensity of a Signal Received as a Result of Scattering.

ASSOCIATION: Scientific Research Radiophysical Institute of the Gorki State University (N.-i. radiofizicheskii institut pri Gor'kovskom gosudarstvennom universitete)

SUBMITTED: January 22, 1957.

AVAILABLE: Library of Congress.

Card 3/3

1. Antennas 2. Microwave scattering 3. Scattering-Intensity-Theory

"Propagation of a Modulated Wave in a Randomly Inhomogeneous Medium."

with KALACHEV, A. L., "Frequency Modulation Applied to Acoustic Measurements"

paper⁴ presented at the 4th All-Union Conf. on Acoustics, Moscow, 26 May - 2 Jun 58.

"The Wave Propagation in Mediums With Random Heterogeneities".

report presented at the All-Union Conference on Statistical Radio Physics,
Gor'kiy, 13-18 October 1958. (Izv. vyssh uchev zaved-Radiotekh., vol. 2,
No. 1, pp 121-127) COMPLETE card under SIFOROV, V. I.)

SOV/46-4-4-4/20

AUTHORS: Zverev, V.A. and Kalachev, A.I.

TITLE: Measurement of the Interaction of Sound Waves in Liquids (Izmereniye vzaimodestviya zvukovykh voln v zhidkostyakh)

PERIODICAL: Akusticheskiy Zhurnal, 1958, Vol 4, Nr 4, pp 321-324 (USSR)

ABSTRACT: Zverev and Gerelik (Ref 1) showed experimentally that if a high-frequency wave field interacts at right-angles with a low-frequency field, then the high-frequency wave is phase modulated. The present paper describes an approximate calculation and quantitative measurements of such an interaction. This interaction is due to non-linearity of the medium which appears as non-linearity of the hydrodynamic equations and the equation of state. The equation-of-state non-linearity predominates and calculations are based on the assumption that the hydrodynamic non-linearity can be neglected. The phase modulation of the high-frequency wave is due to a periodic change of its velocity in the field of the stronger low-frequency wave. The waves studied by the authors had frequencies of 1.3×10^6 c/s and 3×10^3 c/s respectively. The experimental technique employed followed Ref 1. The apparatus used is shown schematically in Fig 1. It consists of a high-frequency generator 1, a phase-shifter 2, a high-frequency amplifier 3, a balancing

Card 1/3

Measurement of the Interaction of Sound Waves in Liquids

SOV/46-4-4-4/20

amplifier 4, a detector 5, a low-frequency amplifier and filter 6, a 2G-10 low-frequency generator 7, a VKS-7 valve voltmeter 8, a LV-9 valve voltmeter 9, a Plexiglas bath 10, a quartz vibrator (producing 1.3×10^6 c/s) 11, a quartz receiver 12, bellows 13 and an electrodynamic vibrator (producing 3×10^3 c/s) 14. Measurements were made in tap (mains) water, in 93.5% ethyl alcohol, and in 21.6% NaCl solution. Fig 3 gives the vertical distribution of pressure above the centre of the high-frequency vibrator. The ordinate give the values of the logarithm of the voltage produced by a BaTiO₃ probe used to measure pressure, while the abscissa gives the distance from the vibrator. Distribution of pressure (in bars) along a horizontal line away from the high-frequency vibrator is given in Fig 4. In both Figs 3 and 4 curves 1, 2 and 3 denote tap water, NaCl solution and ethyl alcohol respectively. The pressure distributions given in Figs 3 and 4 show that the high-frequency waves are not planar. This fact was allowed for in calculations of the rate of change of the sound velocity c with pressure p (dc/dp). The value of dc/dp was obtained from the measured phase modulation of the high-frequency wave. The results obtained are given in a table on p 324. The sixth column gives the values of dc/dp

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SOV/46-4-4-4/20

Measurement of the Interaction of Sound Waves in Liquids

obtained by the present authors; the seventh column gives dc/dp calculated from static measurements described in Refs 2, 3. From the results obtained the values of the constant b which occurs in the equation of state $P = ap + bp^2$ (P and p are departures of pressure and density from their equilibrium values, $a = c_0^2$ = the square of sound velocity at infinitely small densities and b = a constant for a given medium) were obtained for the three liquids investigated. The values of b and b/a are given in the third and fourth columns of the table. The values of the ratio B/A which occurs in the equation of state $P = Ap/\rho_0 + (B/2)(p/\rho_0)^2$ were also obtained and are given in the fifth column of the table. The latter equation of state comes from Ref 4. The authors' estimate the accuracy of their values of dc/dp to be 17%. There are 4 figures, 1 table and 5 references, 3 of which are American and 2 Soviet.

ASSOCIATION: Gor'kovskiy gosudarstvennyy universitet (Gor'kiy State University)

SUBMITTED: September 18, 1957

Card 3/3

69946

SOV/141-2-4-1/19

9.9000
AUTHORS:

Denisov, N.G. and Zverev, V.A.

TITLE:

Some Problems in the Theory of Wave Propagation in
Media With Random Irregularities (A Review)

PERIODICAL:

Izvestiya vysshikh uchebnykh zavedeniy, Radiofizika,
1959, Vol 2, Nr 4, pp 521 - 542 (USSR)

ABSTRACT:

The present review discusses methods of solution of
phenomenological problems in the theory of wave
propagation in media with random irregularities, i.e.
the methods of calculation of the statistical
properties of the field of a wave which has passed
through a nonhomogeneous layer. Among these statis-
tical properties are the amplitude and phase
fluctuations and the corresponding correlation functions.
The discussion also includes the diffraction at
irregular screens and certain problems in scattering
theory. The review covers mainly those topics which
have not been considered in existing reviews and mono-
graphs, e.g. those by Chernov and Rønliffe (Refs 1, 3).
Moreover, in distinction to the existing reviews and
monographs, the present paper includes a discussion

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SOV/141-2-4.1/19
Some Problems in the Theory of Wave Propagation in Media With
Random Irregularities (A Review)

of the regular refraction of waves in a non-uniform layer. The paper is divided into four sections, namely: 1) geometrical optics approximation; 2) the method of continuous perturbations; 3) diffraction of waves by an irregular screen and 4) the scattering of waves by small irregularities. There are 31 references, of which 19 are Soviet, 4 German and 8 English.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy institut
pri Gor'kovskom universitete (Scientific Research
Radiophysics Institute of Gor'kiy University)

SUBMITTED: June 15, 1959

Card 2/2

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S/120/60/000/01/012/051

E192/E382

9:6000

AUTHORS: Zverev, V.A. and Orlov, Ye.F.

TITLE: Equipment for the Measurement of the Spectra and Correlation Functions of Low-frequency Processes

PERIODICAL: Pribery i tekhnika eksperimenta, 1960, Nr 1, pp 50 - 57 (USSR)

ABSTRACT: The instrument is illustrated schematically in Figure 1. S is a light source which illuminates two parallel films Π_1 and Π_2 . The processes to be investigated $g(x_1)$ and $f(x)$ are recorded on the films along the "window" having a length $D_{\text{make}} = 300 \text{ mm}$. The transparency $f(x)$ of the film Π_2 as a function of x corresponds to a time-dependent process $f(t).x = vt$, where v is the velocity of motion of the film during the recording of the signal. The light transmitted through the superimposed films Π_1 and Π_2 falls on a set of photo cells. The current of the photo

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Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

cells is proportional to the light flux impinging on it
and can be expressed by:

$$i = B \int_{-D/2}^{+D/2} f(x)g(x_1)dx \quad (3) .$$

If the film Π_1 , having a transparency $g(x_1)$ is
moved with respect to Π_2 by a quantity ξ , the
current is:

$$i_{\xi} = B \int_{-D/2}^{+D/2} f(x)g(x - \xi) dx \quad (4) .$$

Card2/5 The quantity measured by the meter 1 (Figure 1) and
recorded by a registering device 2 is proportional to
the correlation function of the process $f(t)$ and $g(t)$
at the point ξ . By changing ξ , which can be done by

4

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E192/E332

Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

moving one of the films with respect to the other, it is possible to determine the type of the correlation function. In order to determine the spectrum of $f(x)$ it is necessary to express $g(x)$ in the form:

$$g(x) = \cos k_n (x - \xi) \quad (5)$$

with different k_n . If $k_n = 2\pi n/D$, then:

$$i_\xi = BDC_n \cos (k_n \xi - \varphi_n) \quad (6)$$

which shows that the amplitude of the output signal is proportional to the spectral amplitude of the signal $f(x)$. The instrument constructed on the above principle had the frequency range from 1/300 to 3 c/s. The averaging time could be as high as 300 sec. Some of the experimental results obtained by means of the instrument

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E192/E382

Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

are shown in Figures 2-11. Figure 3 shows a comparison of the correlation function measured by the instrument (solid line) with the calculated results which are indicated by the crosses. Figures 4 show the response of the system to a sinusoidal signal for various window lengths. Figure 5 gives the cross correlation function for a pulse train having a mark-to-space ratio of 1:2 and a sinusoidal signal. Figures 6-8 show the oscillograms of certain processes and their correlation and spectrum functions over a certain frequency bandwidth. Figure 9 shows the acceleration processes in a seat of the car, type M-21 "Volga", produced at the Gor'kiy Car Factory and the correlation function of the acceleration curve. Figures 10-11 give the recordings of human heart signals and their autocorrelation functions. There are 11 figures and 4 references, 3 of which are English and 1 Soviet. 4

Card4/5

69077
S/120/60/000/01/012/051
E192/E182

Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

ASSOCIATIONS: Nauchno-issledovatel'skiy radiofizicheskiy institut
(Scientific-research Radiophysics Institute) of
Gor'kovskiy gosudarstvennyy universitet (Gor'kiy State
University)

SUBMITTED: December 26, 1958

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6.9200

S/141/60/003/004/018/019
EO32/E314

AUTHOR: Zverev, V.A.

TITLE: Dispersion Properties of Media Containing Random Irregularities

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Radiofizika, 1960, Vol. 3, No. 4, pp. 723 - 724

TEXT: In a previous paper (Ref. 1) the present author showed that during the propagation of a modulated wave in a medium containing random irregularities, the change in the character of the modulation is similar to that in the case of a dispersive medium. This change is determined by the value of the phase invariant:

$$\varphi = \varphi_0 - (\varphi_1 + \varphi_2)/2 \quad (1)$$

(Ref. 2), where φ_0 is the phase of the carrier and

$\varphi_{1,2}$ are the phases of the side components.

The calculation given in Ref. 1 was concerned only with small values of φ^2 . It follows from Eq. (1) that the correlation Card 1/2

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E032/E314

Dispersion Properties of Media Containing Random Irregularities
function for the phase invariant can be written in the form
of Eq. (2), where $\varphi_i(\xi)\varphi_j(\xi')$ are the correlation functions
for phase changes on frequencies ω_i and ω_j . In accordance
with Eq. (2), the spectrum of $\varphi_i(\xi)\varphi_j(\xi')$ is the sum of the
spectra of the correlation functions $\varphi_i(\xi)\varphi_j(\xi')$.

Using the method put forward by Tatarskiy in Ref. 3, a general
expression is derived for the correlation function for the
phase invariant (Eq. (7)). The derivation is based on Eq. (3),
which was detailed by Tatarskiy in Ref. 3.
There are 3 Soviet references.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy
institut pri Gor'kovskom universitet
(Scientific Research Radiophysics Institute of
Gor'kiy University)

SUBMITTED: April 26, 1960

Card 2/2

86866

S/141/60/003/005/021/026
E032/E314

99300

AUTHOR: Zverev, V.A.

TITLE: Scattering of Modulated Waves by Random
Irregularities

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Radiofizika, 1960, Vol. 3, No. 5, pp. 903 - 904

TEXT: The study of the propagation of a modulated wave can
be used to obtain information about the degree of correlation
for fluctuations at different frequencies. The degree of
correlation can be determined by measuring the mean square
of the "phase invariant" (Ref. 1)

$$\langle \Phi \rangle = \varphi_0 - (\varphi_1 + \varphi_2)/2 \quad (1)$$

where φ_0 is the phase of the carrier and $\varphi_{1,2}$ is the
phase of the side components. In the case of complete
correlation of fluctuations in phase, fluctuations in the
phase invariant vanish, while in the complete absence of
Card 1/6

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S/141/60/003/005/021/026
E032/E314

Scattering of Modulated Waves by Random Irregularities
correlation

$$\overline{\varphi^2} = (3/2)\overline{\varphi^2} \quad (2) .$$

In a number of cases $\overline{\varphi^2}$ can be estimated from the mean square value of fluctuations in the level of the received signal. In the case of scattering by weak irregularities, correlation functions for the scattered field, phase and amplitude, at a large distance from the scattering centres, are practically identical. A sufficient condition for the identity of the correlation functions for the field and phase is a low value of the modulus of the mean square fluctuation of the complex phase. The present author determines the correlation of scattered fields at different frequencies and assumes that the angle ϑ at which the scattering is observed is independent of frequency and that dispersion is absent. Assuming that the scattering occurs on weak

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E032/E314

Scattering of Modulated Waves by Random Irregularities
irregularities, the scattered field at a large distance
from the scattering centre is written down in the form

$$E = \frac{E_0 k_0^2 \sin \alpha}{4\pi R} \epsilon_k \quad (3)$$

where E_0 is the amplitude of the incident wave,
 k_0 is the wave vector of the incident wave,
 α is an angle representing the polarisation,
 R is the distance from the scattering volume and
 ϵ_k is given by

$$\epsilon_k = \int_V \Delta \epsilon(x, y, z) e^{i\mathbf{k}\mathbf{r}} \quad (4)$$

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 E032/E314

Scattering of Modulated Waves by Random Irregularities

In this expression, $\Delta\epsilon$ is the fluctuation in the refractive index, $\underline{K} = \underline{k}_0 - \underline{k}$, where \underline{k} is the wave vector of the scattered field and

$$|\underline{K}| = 2k_0 \sin(\theta/2) \quad (5) .$$

The required correlation is defined by

$$\overline{E(\underline{k}_1)E(\underline{k}_2)} = \frac{E_0^2 k_1^2 k_2^2 \sin \kappa}{(4\pi R)^2} \overline{\epsilon_{\underline{k}_1} \epsilon_{\underline{k}_2}^*} \quad (6) .$$

It then remains to compute the quantity $\overline{\epsilon_{\underline{k}_1} \epsilon_{\underline{k}_2}^*}$. It is

shown that for a spherical scattering centre having radius R the latter quantity is given by

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E032/E314

Scattering of Modulated Waves by Random Irregularities

$$\overline{\epsilon_{k_1} \epsilon_{k_2}} = (\overline{\epsilon_k})^2 \frac{2}{(\Delta k R)^2} \left[\frac{\sin(\Delta k R)}{\Delta k R} - \cos(\Delta k R) \right] \quad (12)$$

where $\Delta k = 2c^{-1}(\omega_1 - \omega_2)\sin(\Omega/2)$. For modulated vibrations $\omega_1 - \omega_2 = \Omega$, where Ω is the modulation frequency. For given \mathcal{V} , $\Delta k R$ is proportional to the ratio of the diameter of the centre to the wavelength on the modulation frequency. When the wavelength on the modulation frequency is greater than $2R$, the scattered carrier and side frequencies will be correlated and fluctuations in θ will be very small. If on the other hand the wavelength on the modulation frequency is considerably lower than $2R$ then fluctuations in θ will reach a maximum. Thus, a study of the scattering of modulated waves may be used to provide

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E032/E314

Scattering of Modulated Waves by Random Irregularities
information on the order of magnitude of the scattering
centre and its form.
There is 1 Soviet reference.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy
institut pri Gor'kovskom universitete
(Scientific Research Radiophysics Institute
of Gor'kiy University)

SUBMITTED: May 5, 1960

Card 6/6

ZVEREV, V.A., KALACHEV, A.I.

Application of frequency modulation to acoustic measurements.
Akust. zhur. 6 no.2:205-212 '60. (MIRA 13:8)

1. Nauchno - issledovatel'skiy radiofizicheskii institut pri
Gor'kovskom gosudarstvennom universitete.
(Sound waves)

VASIL'YEV, V.G.; ZVEREV, V.A.

Electric model of a rectifying bridge circuit. Izv. vys. ucheb. zav.;
elektromskh. 4 no. 1:75-82 '61. (MIRA 14:4)
(Bridge circuits--Models)

S/141/61/004/002/008/017
E192/E382


9,9000

AUTHORS: Zverev, V.A. and Orlov, Ye.F.

TITLE: Information transmission Rate in a Channel With
Multipath Propagation

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Radiofizika, 1961, Vol. 4, No. 2, pp. 282 - 292

TEXT: The problem of channel capacity of multipath
communications channels with constant or variable parameters
has been considered by various authors - R.L. Dobrushin
(Ref. 4 - Teoriya veroyatnostey i eye primeneniye, 3, 395,
1958), B.S. Tsybakov (Radiotekhnika i elektronika, 1958, 4,
1427 - Ref. 5) and J. Feinstein (J. Appl. Phys., 26, 219, 1955 -
Ref. 6). The problem is investigated further in this paper.
It is assumed that the investigated channel is in the form
shown in Fig. 1. The signal $x(t)$ propagates through a
multipath medium by various routes and at the receiver it is
in the form :



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Information transmission Rate

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$$y(t) = \sum_{r=1}^n a_r x(t - \tau_r) \quad (1)$$

where a_r and τ_r are the damping coefficient and the propagation time for the small r -th path, respectively. The frequency characteristic of the multipath channel is written as:

$$k(f) = \sum_{r=1}^n a_r e^{i2\pi f \tau_r} \quad (2)$$

The output signal contains correlation couplings of the type:

$$B_y(\tau) = \sum_{r=1}^n \sum_{s=1}^n a_r a_s B_x(\tau + \tau_r - \tau_s) \quad (3)$$

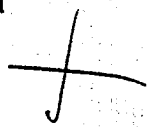
Card 2/13 13

Information-transmission Rate ... S/141/61/004/002/008/017
E192/E382

where B_y and B_x are the autocorrelation functions of the signals $y(t)$ and $x(t)$. The signal at the receiver, together with the noise $z(t)$, appears at the output of the communications channel, where the total signal can therefore be expressed as:

$$v(t) = \sum_{r=1}^n a_r x(t - \tau_r) + z(t) \quad (4)$$

The information-transmission rate C , when the signal at the input of the channel has normal distribution, can be expressed by (Ref. 1 - K. Shannon - The Theory of Electrical Signal Transmission in the Presence of Noise, IL, Moscow, 1953) (Ref. 7 - P. Elias - Proc. IRE, 39, 839, 1951):



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S/141/61/004/002/008/017
Information Transmission Rate E192/E382

$$C = \lim_{T \rightarrow \infty} \left[\frac{1}{T} \log M^{1/2} \right] \quad (7)$$

where M is the correlation matrix of the output signal:

$$|M| = \begin{vmatrix} \overline{v_1 v_1} & \dots & \overline{v_1 v_N} \\ \vdots & & \vdots \\ \overline{v_N v_1} & \dots & \overline{v_N v_N} \end{vmatrix}$$

where v_j are the values of the output signal at the sampling time intervals. On the basis of Eq. (7) it is possible to express the channel-information capacity in terms of the spectral functions of the signal (Ref. 2 - Cybernetics. izd. Sov. radio, M., 1958 - N.Wiener; Ref. 8 - Dokl. Ak.nauk SSSR, 99, 213, 1954 - M.S. Pinskor):

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$$C = \frac{1}{T} \log \prod_j^N \left(1 + \frac{|y(f_j)|^2}{|z(f_j)|^2} \right) = \frac{1}{T} \sum_{j=1}^n \log \left(1 + \frac{|y(f_j)|^2}{|z(f_j)|^2} \right), \quad (8)$$

where $|y(f_j)|^2$ and $|z(f_j)|^2$ are spectral densities of the signals $y(t)$ and $z(t)$. If the signal and noise spectra (σ_x^2 and σ_z^2) are independent of frequency, Eqs (7) and (8) can be written as:

$$C = F \log \left(1 + \frac{\sigma_y^2}{\sigma_z^2} \right) + \lim_{T \rightarrow \infty} \left[\frac{1}{T} \log |R|^{1/2} \right]; \quad (7a)$$

$$C = \int_0^F \log \left(1 + \frac{\sigma_y^2}{\sigma_z^2} \frac{|k(f)|^2}{\frac{1}{F} \int_0^F |k(f)|^2 df} \right) df. \quad (8a)$$

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where R is the matrix of the correlation coefficients of the signal at the output of the channel (corresponding to the matrix M). In the case of a two-path propagation, it can be assumed that the signals received have amplitudes a_1 and a_2 and that the relative delay time is τ . The frequency characteristic of this channel is:

$$|k(f)|^2 = a_1^2 + a_2^2 + 2a_1a_2\cos(2\pi f\tau) \quad (13)$$

so that the channel capacity is given by:

$$C = \int_0^F \log[1 + \alpha(a_1^2 + a_2^2) + 2\alpha a_1a_2\cos(2\pi f\tau)] df \quad (14)$$

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where $\alpha = \sigma_x^2 / \sigma_z^2$. The effect of two-path propagation is illustrated in Fig. 2, where F is the bandwidth of the transmission channel. The channel capacity of a system with n -path propagation, having a maximum delay time T_p and spectral distribution for the amplitude of the received signal $K(f)$, is also investigated and it is shown that in this case the capacity is expressed by:

$$C = - \frac{F e^{\sigma_z^2 / \sigma_y^2}}{\ln 2} \text{Ei} \left(- \frac{\sigma_z^2}{\sigma_y^2} \right) \quad (19)$$

where $\text{Ei}(x)$ is the integral exponential function which can be represented in the form of the following series:

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Information-transmission Rate E192/E382

$$E_i(x) = c + \ln(-x) + \frac{x}{1.1!} + \frac{x^2}{2.2!} + \dots + \frac{x^n}{n.n!} + \dots \quad (20)$$

($x < 0$)

where $c = 0.57$. On the other hand, for an n -path propagation channel the rate of information-transmission is a minimum if the energies transmitted to the receiver by various paths are equal and the signal delays along the various paths are the same. The frequency characteristic of such a channel is given by:

$$|k(f)|^2 = \left| \frac{\sin(\pi n f \tau)}{\sin(\pi f \tau)} \right|^2 \quad (23)$$

where τ is the delay time, and its capacity is expressed by:

$$C = F \log(a^2/\sigma_z^2) + \int_0^\infty \log \left| \frac{\sin(\pi n f \tau)}{\sin(\pi f \tau)} \right| df \quad (24).$$

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In general, the signal at the output of a multipath propagation channel, which is defined by Eq. (4), has fluctuation amplitudes a_r and delay times τ_r . Due to the presence of a large number of interfering paths or rays, it can be assumed that the changes of the transfer function for the channel at various frequencies are independent. The frequency interval Δf_0 for the correlation of these changes is dependent on the reverberation time T_p ; this is defined by:

$$\Delta f_0 = 1/T_p \quad (26)$$

The qualitative estimate of a multipath communications channel with variable parameters can be estimated on the basis of the work of Feinstein (Ref. 6), who gave a formula for the capacity of a channel whose output signal was in the form:

$$v(t) = K(t)y(t) + z(t) \quad (27)$$

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where $K(t)$ is a random modulation function having the normal probability distribution. The formula for the information-transmission rate is in the form:

$$C = \Delta f \log \left\{ 1 + \frac{\sigma_y^2}{\sigma_z^2 + \overline{K^2} \sigma_y^2 / [1 + \overline{K^2} (q - 1) \sigma_y^2 / \sigma_z^2]} \right\} \quad (28)$$

where Δf is the bandwidth of the signal frequencies,
 $\overline{K^2}$ is the mean square value of the fluctuations of $K(t)$,
 q is the number of sampling points for the signal at which the values of $K(t)$ are correlated.

It can easily be shown that:

$$q = \Delta f T_{0\Omega} \quad (29)$$

where $T_{0\Omega}$ is the autocorrelation interval for the modulating function $K(t)$.

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A multipath channel with variable parameters can be split into a number of sub-channels, whose bandwidths are less than the frequency interval Δf . The capacity can be expressed by:

$$C = \int_0^{\Delta f} \log \left\{ 1 + \frac{\sigma_s^2 K_f^2}{\sigma_s^2 + \bar{K}^2 \sum_j K_j^2 / [1 + \bar{K}^2 (\eta_j - 1) \sum_j K_j^2 / \sigma_s^2]} \right\} df. \quad (30)$$

provided the interaction between the neighbouring sub-channels is disregarded. On the basis of the above formulae, it is concluded that in a channel with constant parameters, the presence of many propagation paths does not reduce the capacity of the channel; in most cases, the channel capacity is equal to the capacity of a single-path channel whose energy is equal to the total energy of all the "paths" transmitted to the receiver. On the other hand, the occurrence of the equidistance distribution of delay times is very improbable in normal conditions. In the case of a channel with variable parameters, the fluctuations of the parameters have a significant effect

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Information-transmission Rate ...E192/E382

on the channel capacity: the capacity is dependent on the width of the spectrum and the magnitude of the changes of the transfer function of the channel. The capacity of a multipath communications channel can be determined if the following quantities are known: correlation in the signal produced by the multipath propagation; time and frequency correlation of the amplitude fluctuations of the received signal and the width of the spectrum at the output of the channel when a sinusoidal signal is applied at the input. There are 3 figures and 8 references: 6 Soviet and 2 non-Soviet. Two of the Soviet references are translated from English.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy institut pri Gor'kovskom universitete (Scientific Research Radiophysics Institute of Gor'kiy University)

SUBMITTED: September 22, 1960

Card 12/13, 2

ZVELEV, Vitaliy Anatol'yevich, dots.

[Theory of probability with a supplement to information theory; textbook for students of the second and third year of the faculty of radio physics] Teoriia veroiatnostei s prilozheniem k teorii informatsii; uchebnoe posobie dlia studentov II i III kursov radiofizicheskogo fakul'teta. Gor'-kii, Gor'kovskii gos. univ. im. N.I.Lobashevskogo. Nos. 1-3. 1961. 123 p.

(MIRA 17:4)

3.5140 (1041)

30048
S/046/61/007/004/003/014
B139/B102

AUTHORS: Zverev, V. A., Spiridonova, I. K.

TITLE: Determination of atmospheric turbulence characteristics on the basis of statistical sound-field analysis

PERIODICAL: Akusticheskiy zhurnal, v. 7, no. 4, 1961, 428-435

TEXT: Phase and amplitude fluctuations occurring in the propagation of sound waves in the atmosphere are caused by inhomogeneities. The authors developed a method for the determination of atmospheric inhomogeneities and mean squares of phase fluctuations by measuring the correlation coefficient of a sound field in the atmosphere. L. A. Chernov (Akust. zh., 1957, 3, 2, 192-194) established a relation between the field correlation function and the autocorrelation functions of amplitude and phase fluctuations for the case of crosscorrelation;

$$\overline{E_1 E_2} = E_0^2 \exp(2A^2) \exp \left[\overline{A^2} (R_A - 1) + \overline{\varphi^2} (R_\varphi - 1) \right] \quad (2),$$

where E is the field, A is the amplitude fluctuation, φ is the phase
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Determination of atmospheric turbulence

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fluctuation, R_A and R_φ are the correlation coefficients of amplitude and phase fluctuations, respectively. The authors determined the field correlation caused only by a phase fluctuation. In this case ($A = 0$),

$$\ln R_E = \overline{\varphi^2} (R_\varphi - 1) \quad (5)$$

is valid. For $d \ll a$, and considering that, in the case of crosscorrelation $R_\varphi = \exp(-d^2/a^2)$, Eq. (5) goes over into

$$\ln R_E = - \overline{\varphi^2} \frac{d^2}{a^2} \quad (8).$$

d is the base, and a is the dimension of inhomogeneities. If, however, $d \gg a$, $\ln R_E = -\overline{\varphi^2}$. $\ln R_E = f(d^2)$ is a straight line which passes through

the origin and forms an angle α with the abscissa: $a = \sqrt{\overline{\varphi^2} \tan \alpha}$.
 K. A. Norton calculated R_E from the curve $\varphi_{k_1} = f(\varphi)$ ($\varphi = d/a$), and

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Determination of atmospheric turbulence

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obtained $\ln R_E = \frac{\varphi^2}{2\alpha^2} d^2$ for $d \ll a$

(14)

and $\ln R_E = -\overline{\varphi^2}$ for $d \gg a$

(15).

If only the statistical parameters a and $\overline{\varphi^2}$ of the medium are to be calculated, the results obtained by the two methods are in good agreement. However, theoretical considerations support Norton's method and the values obtained by this theory. $R_E(d)$ is difficult to determine, since

measurement results obtained at different times are influenced by the turbulence of the medium. The authors, however, made simultaneous measurements at several points, along the direction of sound-field propagation and also at right angles to it. Waves were recorded by several receivers on a four-channel magnetic tape, and the signals were evaluated in the laboratory. Signals from two channels were fed by amplifiers into two dynamic loudspeakers. Each loudspeaker was installed in a tube (to isolate the signals) with a microphone at the other end. One microphone was fixed, while the other was moved in the direction of

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Determination of atmospheric turbulence ...B139/B102

wave propagation. Via amplifiers the signals were fed from the microphones to the two correlometer inputs, and the signals from the correlometers were fed into a loop oscilloscope. L. A. Chernov, Rasprostraneniye voln v sredе so sluchaynymi neodnorodnostyami. M., Izd-vo AN SSSR, 1958 is mentioned. There are 8 figures and 10 references: 9 Soviet and 1 non-Soviet. The reference to the English-language publication reads as follows: K. A. Norton, J. atm. and ter. phys. 1959, 15, nos. 3/4, 206-227. X

ASSOCIATION: Radiofizicheskiy institut pri Gor'kovskom gosudarstvennom universitete (Radiophysical Institute of Gor'kiy State University)

SUBMITTED: January 16, 1961

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S/120/62/000/001/026/061
E140/E463

AUTHORS: Zverev, V.A., Mosalov, I.V., Orlov, Ye.F.,
Sibiryakov, V.L.

TITLE: Spectrum analyser for film-recorded processes

PERIODICAL: Priory i tekhnika eksperimenta, no.1, 1962, 110-117

TEXT: The authors describe a variation of the well-known optical spectrum analyser in which a periodic mask (filter) is passed before a density (or amplitude) variable negative of the process to be analysed. The disadvantages of the existing systems are the large number of filter transparencies required, the long time for a full analysis, lack of precision in the preparation of the filters and the impossibility of obtaining the spectral density at a given frequency. The authors therefore have proposed and realized an improved system using two mutually inclined diffraction gratings (Fig.3). Assuming the gratings to be sinusoidal (in the first approximation), the transmissibilities of the gratings are described by

$$A + B \cos \left[(2\pi/d)(x \cos \alpha + y \sin \alpha) - \varphi_1 \right] \quad (1)$$

$$A + B \cos \left[(2\pi/d)(x \cos \alpha - y \sin \alpha) - \varphi_2 \right] \quad (2)$$

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Spectrum analyser ...

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Since the light passes successively through the two gratings, the light flux at the output of the second grating will be the product of (1) and (2). Now, if we let the gratings vibrate with common amplitude a and frequency Ω in phase opposition, and in the directions α and $-\alpha$, the photoelement current will have a component proportional to the spectral density of the investigated function. As the angle α varies from 0 to 30° all values of spectral density will be obtained with periods between D (the window width, fundamental frequency) up to d (the grating period). The frequency Ω determines the rate at which the results are obtained. The possibility exists of varying α manually, thus permitting interesting frequency components to be found rapidly. The use of narrow band amplifiers tuned to some harmonic of Ω is useful in filtering out closely related components. The maximum intensity is that of the harmonic with index close to $a/d \gg 1$. The output is to a self-balancing potentiometer, with the lateral displacement of the paper controlled by a special follower servomechanism to give a scale proportional to frequency as the angle α is varied. In the

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Spectrum analyser ...

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instrument constructed the grating period is $d \approx 0.2$ mm, the maximum relative angle of rotation is $14^\circ 10'$, the window $D = 100$ mm. The resolution permits harmonics of D up to index 250 to be measured. Some test spectrograms of multi-frequency sinusoidal signals are given. There are 9 figures.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy institut pri GGU (Scientific Research Institute of Radiophysics of GGU)

SUBMITTED: March 6, 1961

Card 3/4 3

35257
S/046/62/008/001/003/018
B139/B102

24,1300

AUTHORS: Andreyev, G. A., Zverev, V. A.

TITLE: Method of investigating the statistical properties of media with random inhomogeneities by means of continuous frequency-modulated acoustic irradiation

PERIODICAL: Akusticheskiy zhurnal, v. 8, no. 1, 1962, 42 - 48

TEXT: When investigating the propagation of waves in static inhomogeneous media, the characteristics of inhomogeneities and the signal parameter changes caused by them must be known. The authors conducted experiments with saw-tooth sound waves. The signals arriving at the receiver are delayed against the carrier wave by the time $\Theta_i(t) = 2r_i(t)/c$ ($r_i(t)$ = distance between the i -th elementary scattering space and the sound pickup). The correlation function of the sum of signals equals the sum of correlation functions of the summands, i.e.,

$$\psi_u(\tau) = \overline{u(t)u(t+\tau)} = \sum_{i=1}^N \overline{u_i(t)u_i(t+\tau)} \quad (3). \quad \text{Via the expression}$$

Card 1/3

POPOVA, M.I.; ZVEREV, V.A.

Use of torpedo from detonating blast hole for cleaning oil-
well filters. Nefteprom. delo no.2:172'63 (MIRA 172'7)

1. Krasnokamskoye neftepromyslovoye upravleniye.

ZVEREV, V.A.

AUTHOR: Vasil'yev, V.G., Docent SOV/144-59-9-1/15
Apparatus; and Zverev, V.A., Assistant
Acting Head of the Chair of Electrical
TITLE: Electronic Analoguing of the Hysteresis Characteristics
of Magnetic Materials
PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Elektromekhanika, 1959, Nr 9, pp 3-10 (USSR)

ABSTRACT: A number of articles dealing with electronic analogues
(Kogan and Rozenblat, Refs 1, 2) have given a description
of the circuits which are suitable for analoguing a
simple rhomboic hysteresis loop. Two such circuits are
shown in Figs 1 and 2. The circuit of Fig 1 consists of
a limiter, a memory element and an amplifier. The
insensitive zone or the width of the hysteresis loop is
determined by the cut-off voltages of the limiter diodes,
while the slope of the loop is determined by the output
amplifier. The circuit of Fig 2 comprises an adding
amplifier, a limiter and a memory device which is in the
form of an integrator. If one of the above circuits is
fitted with a functional converter, whose parameters are
designed in accordance with the hysteresis loop of actual
ferromagnetic material, it is possible to obtain a ✓

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Electronic Analoguing of the Hysteresis Characteristics of Magnetic Materials

characteristic which would coincide with the actual function $B = f(H)$. An example of such a device is shown in Fig 3. The system is based on the circuit of Fig 1. The difference between the circuits of Fig 3 and Fig 1 lies in the fact that the output amplifier of the latter is replaced by a functional converter. The functional transformation consists of three linear segments, whose limit points are determined by the cut-off voltages of the diodes, while the slope is determined by the ratio of the total resistance of the feedback circuit to the input resistance. Hysteresis loops obtained by this circuit are shown in Fig 4. Analysis of the characteristics obtained by this device shows that the loops can be analogued only approximately. A different circuit is therefore suggested. This is shown in Fig 5. The device is suitable for the analoguing of the so-called "preliminary hysteresis loop". The circuit of Fig 5 is characterised by the fact that the analogue amplifier is preceded not by one but by a series of condensers. Each of the condensers is connected to the input of the

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Electronic Analoguing of the Hysteresis Characteristics of Magnetic Materials

amplifier through a suitable diode limiter. The relationship between the output and the input signals of this type of analogue is expressed by

$$U_{BX} = U_{BX} \frac{C_{BX}}{C_0} = U_{BX} \operatorname{tg} \alpha, \quad (1)$$
$$\alpha = \operatorname{arc} \operatorname{tg} \frac{C_{BX}}{C_0}$$

where C_{BX} is the capacitance at the input of the amplifier, C_0 is the capacitance in the feedback circuit, and α is the slope of the transfer characteristic. The coefficients of the circuit of Fig 5 are indicated in Table 1. The loop taken by means of the analogue of Fig 5 is shown in Fig 6, while the partial-symmetrical and non-symmetrical cycles (taken by the circuit) are illustrated in Fig 7. Further circuits, similar to that of Fig 5, are illustrated in Figs 8 and 9; the circuit of Fig 8 consists of a limiter, a functional memory device, an integrator and a functional converter; the circuit of Fig 9 consists of a functional converter, a functional

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Electronic Analoguing of the Hysteresis Characteristics of Magnetic Materials

memory device and an integrating amplifier. The parameters of these circuits can be determined graphically by the method of successive approximations. The loops and partial-symmetrical and non-symmetrical cycles analogued by the circuit of Fig 9 are illustrated in Fig 10; the actual loops and partial cycles are shown in Fig 11.

There are 11 figures, 3 tables and 3 Soviet references, one of which is translated from English.

ASSOCIATION: Kafedra elektricheskikh apparatov, Khar'kovskiy
politekhnicheskii institut (Chair of Electrical
Apparatus, Khar'kov Polytechnical Institute)

Card 4/4

SUBMITTED: May 15, 1959

SHALYTKIN, N.L.; ZVEREV, V.A. (Gor'kiy)

Fastening with a metallic nail in rupture of the tubercle of the
tibia. Ortop., travm. protex. 17 no.5:64 S-0 '56. (MLRA 10:1)
(TIBIA--FRACTURE)

1. Kolkhoz "Voskhod", Krasnopol'yanskoye, V.I., Zootekhnika

Year-round raising of broiler chicks on the "Voskhod" Collective
Farm. Zhivotnovodstvo 21 no.5:52-57 My '59.(MIRA 12:7)

1. Kolkhoz "Voskhod," Krasnopol'yanskogo rayona, Moskovskoy
oblasti (for Zverev).
(Poultry)

AUTHOR: Zverev, V. A.

6-58-3-8/16

TITLE: A Calculation of the Deformation Profile of the Correction Surface in the Rectifying Glass of Aerophotographic Apparatus (Raschet profilya deformirovaniya korrektsionnoy poverkhnosti vyравnivayushchego stekla v aerofotoapparatakh)

PERIODICAL: Geodeziya i Kartografiya, 1958, Nr 3, pp. 40 - 43 (USSR)

ABSTRACT: In his paper (Geodeziya i Kartografiya, 1958, Nr 3, pp. 37 - 39) Professor M. M. Rusinov gave formulae for the calculation of the deformation of the first surface of the rectifying glass in aerophotographic apparatus for the purpose of compensating the residual distortion of the optical system. An example of the calculation according to this formula is given here. From the comparison of the profile abscissa of the deformed surface with the amount of distortion to be corrected is to be seen that the amount of deformation is higher than the amount of distortion. Therefore the technical tolerances in the treatment of the deformed surface of the recti-

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6-58-3-8/16

A Calculation of the Deformation Profile of the Correction Surface in the
Rectifying Glass of Aerophotographic Apparatus

fyng glass need not be especially strict. There are 2 figures
and 1 table.

AVAILABLE: Library of Congress

1. Photographic equipment--Characteristics

Card 2/2

ZVEREV, Vitaliy Arkad'yevich, assistant

Actual ferromagnetic material in electronic models of magnetic elements. Izv. vys. ucheb. zav.; elektromekh. 5 no.5:563-565 '62. (MIRA 15:5)

1. Kafedra elektricheskikh apparatov Khar'kovskogo politekhnicheskogo instituta.

(Cores (Electricity))

(Ferrates--Electromechanical analogies)

CHESNOKOV, N.D.; ZVEREV, V.A.; Principali uchastnye: BOLDANOVA, N.G.; BELIKOV,
P.Ye.; FOMINSKIY, M.K.; BAZHENOV, M.M.

Making roll cast iron in an acid open-hearth furnace. Lit. proizv.
no.2:4-7 F '63. (MIRA 16:3)

(Cast iron--Metallurgy)

ZVEREV, V.I.; BRODSKIY, L.H.

Industrial use of furniture panels with sawdust cores. Der.prom.5
no.8:18-19 Ag '56. (MLRA 9:10)

1.Khar'kovskiy mebel'nyy kombinat imeni Shcherba.
(Furniture industry)

ZVEREV, V.I.

Device for determining the brand of steel. Mashinostroitel' no.4:
17 Ap '65. (MIRA 18:5)

ZVEREV, V.I.: BRODSKIY, L.N.

Finishing radio cabinets with grained paper. Der. prom. 6 no.9:21-22
S '57. (MIRA 10:11)

1. Khar'kovskiy mebel'nyy kombinat im. Shchorsa,
(Cabinetwork) (Graining) (Paper products)

ZVEREV
APPROVED FOR RELEASE: Thursday, September 26, 2002

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1"

"Cases of Reconnecting Coils in Power Transformers," Elek. Stan., no. 2, 1949. Engr.

STENNIKOVA, M.I.; ZYKOV, S.I.; MILOVICHY, A.V.; BUREVIN, Yu.A.; ZVEREV, V.L.

Age of the metamorphic and metasomatic rocks of the Mugodzhar Hills.
Vost.Mosk.univ.4: Geol. 19 no.5:42-46 (20) 1964.

(MIRA 17:12)

1. Kafedra geokhimi Moskoverskogo universiteta.

ZVEREV, VI. (g.Penza)

Workers of the evening and night shifts do not get due
attention. Sov.profsoiuzy 7 no.15:42-44 Ag '59.

(Penza--Night work)

(MIRA 12:12)

ZVEREV, V.M.

A good manual. ("Rug manufacture" by B.M. Fedosenko, A.G. Utkina.
Reviewed by V.M. Zverev). Tekst. prom. 17 no.8:63 Ag '57. (MLRA 10:9)

1. Glavnyy inzhener Moskovskoy fabriki imeni Markova.
(Rugs) (Fedosenko, B.M.) (Utkina, A.G.)

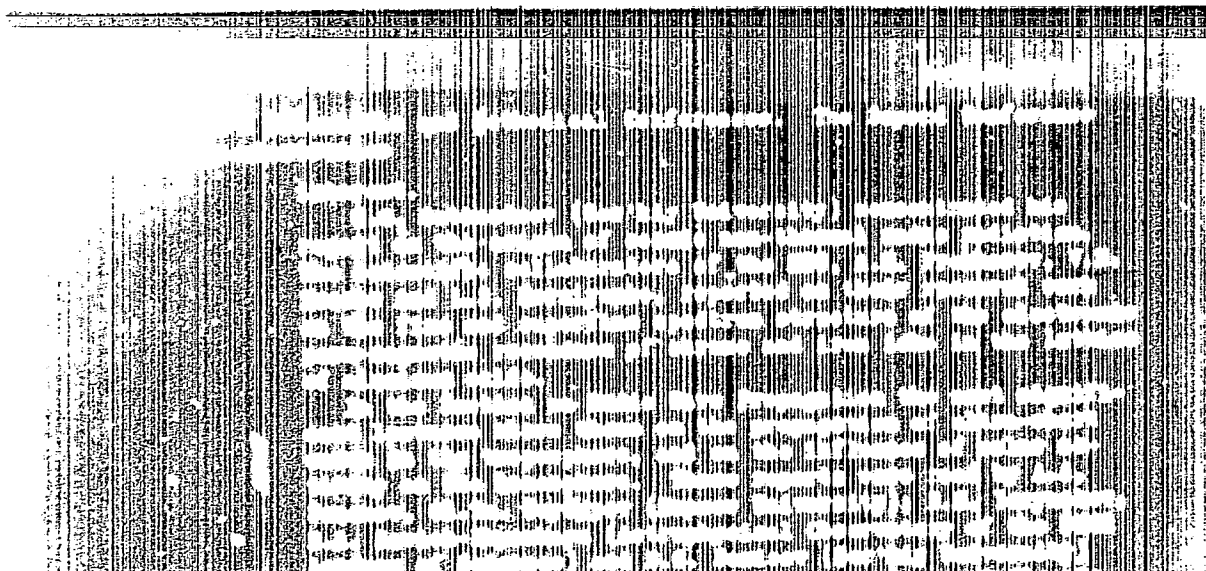
SERKOVA, V.I.; ZVEREV, V.M.

Synthesis of asymmetric dimethyl-phenyl-n-methoxyphenylacetylenyl
ethylene glycol. Trudy LTI no.59:19-21 '61.

(MIRA 17:9)

"APPROVED FOR RELEASE: Thursday, September 26, 2002
APPROVED FOR RELEASE: Thursday, September 26, 2002

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1"



ZVEREV, V. N.

ZVEREV, V. N. Ocherk poleznykh iskopaemykh Iakutskoi respublik. (IN Vittenburg, P. V.
ed. Iakutiia; sbornik statei. Leningrad, AN SSSR, 1927, p. 165-196)

DLC: DK771.Y2W2

CSt

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ZVEREV, V.P.

Chemical composition of atmospheric precipitation on the
Caucasian coast of the Black Sea. Dokl. AN SSSR 142 no.5:1158-
1161 F '62. (MIRA 15:2)

1. Predstavleno akademikom D.I. Shcherbakovym.
(Black Sea region--Precipitation(Meteorology))

REZANOV, I.A.; NGO TKHYONG SHAN; SHEYNMANN, Yu.M.; RATS, M.V.; KRUG, O.Yu.;
ZYRYANOV, V.N.; RAKCHEYEV, A.D.; YAKOVLEVA, Ye.B.; PETROVA, M.A.;
PETROV, Yu.I.; KUZNETSOV, Ye.A.; YUDINA, V.V.; BARDINA, N.Yu.;
SIMANOVICH, I.M.; ATANSYAN, S.V.; SERGEYEVA, A.M.; PARFENOV, S.I.;
RUTKOVSKI, Yatsek [Rutkowski, Jacek]; MAKHLINA, M.Kh.; ZVEREV, V.P.;
TERNOVSKAYA, V.T.; SAMOYLOVA, R.B.; YERMAKOVA, K.A.; BYKOVA, N.K.;
MEYYEN, S.V.; BARSKOV, I.S.; IL'INA, L.B.; BABANOVA, L.I.;
DOLITSKAYA, I.V.; GORBACH, L.P.; BUTS'KO, S.S.; TRESKINSKIY, S.A.;
SVOZDETSKIY, N.A.; PRYALVKHINA, A.F.; GROSVAl'D, M.G.; MODEL', Yu.M.;
GORVAINOVA, I.N.; MEDVEDEVA, N.K.; MYALO, Ye.G.; DOEROVOL'SKIY, V.V.;
KHOROSHILOV, P.I.; CHIKISHEV, A.G.

Brief news. Biul. MOIP. Otd. geol. 40 no.3:122-154 My-Je '65.
(MIRA 18:8)

ZVEREV, V.P.

Sulfate-calcium equilibrium in underground waters. Dokl. AN SSSR
164 no.2:403-405 S '65. (MIRA 18:9)

1. Proizvodstvennyy i nauchno-issledovatel'skiy institut po
inzhenernym izyskaniyam v stroitel'stve. Submitted January
20, 1965.

ZVEREV, V.P.

Role of the chemical composition of the atmospheric precipitation
in the formation of ground waters in the Medvenka Basin. Trudy Lab.
gidrogeol. probl. 45:62-66 '62. (MIRA 15:6)
(Medvenka Valley--Water, Underground--Composition)
(Medvenka Valley--Precipitation (Meteorolog))

ZVEREV, V.P.

Conditions governing the formation of calcite crystals in bottom
sediments of Lake Sevan. Trudy Lab.gidrogeol.probl. 45:85-89 '62.
(MIRA 15:6)

(Sevan,Lake--Calcite crystals)

ZVEREV, V.S.

Faultless fabrics. Tekst. prom. 20 no. 11:86 N '60.

(MIRA 13:12)

(Moscow--Woolen and worsted manufacture--Labor productivity)

SECRET, U.S.

Production line for the finishing of woolen fabrics. Tekst.prom.21
no.1:94 Ja '61. (MIRA 14:3)
(Woolen and worsted manufacture)

ZVEREV, V.S.

New automatic looms. Tekst.prom. 21 no.2:91 Ja '61.

(Looms)

(MIRA 14:3)

OL'KHOVSKIY, I.A.; ZVEREV, V.S.; KRINICHANSKAYA, L.A.; P.rinimali uchastiye:
BUNIM, L.L.; TAINKIN, A.S.; RUDNITSKIY, B.I.

Increasing the resistance of firebox hearths in steam boilers
with liquid slag removal. Ogneupory 30 no.12:16-19 '65.

(MIRA 18:12)

1. Krasnodarskiy filial Nauchno-issledovatel'skogo instituta po
montazhnym i spetsial'nym stroitel'nym rabotam (for Ol'khovskiy,
Zverev, Krinichanskaya).

ABEL'SKAYA, N. B.; GRACHEVA, Ye. G.; YERSHOVA, Z. V.; ZVEREV, V. S.;
MASLOVSKAYA, V. V.; RUDAYA, L. Ya.

Preparation of long-lived Bi²¹⁰. Radiokhimiya 4 no.3:377-378
'62. (MIRA 15:10)

(Bismuth--Isotopes)

EVERY, V.S.

Promote the manufacture of nonwoven materials by all means.
Tekst. prom. 20 no. 12:86 D '60. (MIRA 13:12)
(Nonwoven fabrics)

S/186/62/004/003/022/022
EO75/E436

AUTHORS: Abel'skaya, N.B., Gracheva, Ye.G., Yershova, Z.V.,
Zverev, V.S., Maslovskaya, V.V., Rudaya, L.Ya.

TITLE: Preparation of long-lived Bi²¹⁰

PERIODICAL: Radiokhimiya, v.4, no.3, 1962, 377-378

TEXT: To confirm the investigations with isomer Bi²¹⁰,
reported by L.I. Rusinov, it was essential to obtain a sample of
Bi containing a large quantity of the isomer and a minimum quantity
of other radioactive admixtures. The metallic Bi subjected to
irradiation was thoroughly purified from Po and the elements
activated by neutrons Zn, Ag, Cd, Co, Sr, Sb, Se, Te. ✓
A sample of Bi enriched in Bi²¹⁰ was obtained from the purified Bi.

SUBMITTED: May 29, 1961

Card 1/1

Awards for efficiency promoters and inventors. Tekst. prom. 21
no. 4:90 Ap '61. (MIRA 14:7)
(Moscow Province--Textile industry--Technological innovations)

PROPERTIES AND PROPERTIES, N.C.

Colorimetric determination of small quantities of silica in solutions, minerals and technical products. I. P. Minin and A. S. Zvyayev. *Dokl. Akad. Nauk SSSR* 1931, No. 4, 15 pp (1931). A critical survey of gravimetric and colorimetric methods for the determination of small quantities of SiO_2 . The method of Thurner and Wendenbucke, based on the formation of $\text{H}_2\text{SiO}_3 \cdot \text{H}_2\text{O}$, gives the best results. By this method amounts of SiO_2 from 5 to 0.005% can be determined. The presence of large amounts of mineral acids and their easily hydrolyzable salts interferes and it is then recommended to add NaOAc . The effects of P and Fe present in the solution were counteracted by the addition of excess H_2SO_4 , which destroys the

colored phosphomolybdate complex and forms a colorless acid phosphate of Fe. The phosphomolybdate color can also be removed by means of tartaric or citric acids. The effect of F⁻ is avoided by the addition of AlCl_3 , which forms H_2AlF_6 from H_2SiF_6 . A complete bibliography for 1882 to 1932 inclusive is given. S. L. Madorsky

ASB-11-A METALLURGICAL LITERATURE CLASSIFICATION

FROM DIVISION

SECTION

SPICED 412 000 101

RELATIONS

NO. 117 100 101

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2-1

Colorimetric determination of small quantities of silica in solutions, minerals, and technical products. I. P. Almazan and V. B. Rykova (Trans. Inst. Econ. Min. U.S.S.R., 1984, No. 63, 15 pp.). A crit. survey. Dierckx and Wandershaete's method, based on the formation of $H_2SiO_3(MoO_3)_2$, is best for 0.005–5% SiO_2 . In presence of large amounts of mineral acids and their hydrolyzable salts, NaOAc should be added. The effects of P and Fe are counteracted by adding excess of H_3PO_4 . The phosphomolybdate colour can also be removed with tartaric or citric acid. The effect of F is avoided by adding $AlCl_3$, which forms H_2AlF_6 from H_2SiF_6 . (M. Ans. (c))

ASB-ISA METALLURGICAL LITERATURE CLASSIFICATION

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MACHERET, L.I., inzh.; ZVEREV, V.V., inzh.

Choice of the angle of the superimposition and the width
of paper tape in insulating high-voltage cables. Vest.
elektroprom. 31 no.8:45-47 Ag '60. (MIRA 15:5)
(Electric cables)
(Electric insulators and insulation)

MACHERET, L.I., inzh.; ZVEREV, V.V., inzh.

Insulation machines for the manufacture of high-voltage cables.
Vest. elektroprom. 31 no.11:53-56 N '60. (MIRA 13:12)
(Electric cables)

DNESTROVSKIY, Nikolay Zel'manovich; POMERANTSEV, Sergey Nikolayevich
[deceased]; ZVEREV, V.Y. [deceased]; SHPICHINETSKIY, Ye.S., kand.
tekh. nauk, retsenzent; POSTNIKOV, N.N., inzh., retsenzent; RZHEZ-
NIKOV, V.S., red.; KOSOLAPOVA, E.F., red. izd-va; BERLOV, A.P., tekhn.
red.

[Brief manual on the treatment of nonferrous metals and alloys] Krat-
kii spravochnik po obrabotke tsvetnykh metallov i splavov. Moskva,
Gos. nauchno-tekhn. izd-vo lit-ry po cherno i tsvetnoi metallurgii,
1961. 410 p. (MIRA 14:8)

(Nonferrous metals)

(Metalwork)

1. MAGIDSON, O. Yu., FEDOTOVA, M.V., ZVEREV, V.V.,

2. USSR (600)

"Quinoline Compounds as a Source of Medical Preparation--VIII. Anesthetics of the Series of Amides of Chinchonic Acid," Zhur. Obsch. Khim. 9, No 22, 1939. Synthetic and Pharmacological Dept., All-Union Sci-Res Inst imeni S. Ordzhonikidze, Moscow. Received 17 June 1939.

9. Report U-1626, 11 Jan 1952.

The method of biological evaluation of Indian hemp according to Straub and Gayer--V. V. Zverev. *Bull. Neuch. Institut Chim.-Farm. Inst.* 1131, 100-10.--- The biol. evaluation of Indian hemp in the form an alc. and acetone exn. was found to be in accordance with the method introduced by Straub and Gayer. The expl. procedure is described. A. A. Reubtinsk

434.32 METALLURGICAL LITERATURE CLASSIFICATION

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Testing of bile stimulants. V. V. Zverev, *Khm.*
Farm. Prom. 1935, No. 2, 124-8 (1935). Rabbits tested
by Stransky's method showed that high bile stimulation
is produced by hexamethylenetetramine and decholin.
I. Nasurevich

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ASB-SLA METALLURGICAL LITERATURE CLASSIFICATION

GROUPS										SUBGROUPS									
A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
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APPROVED FOR RELEASE: Thursday, September 26, 2002
ACC NR 117002801

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1

SOURCE CODE: UR/0144/66/000/009/1032/1037

AUTHOR: Shukshunov, V. Ye.; Zverev, V. V.

CNG: none

TITLE: Automatic compensation for dynamic error of temperature transducers with high thermal inertia

SOURCE: IVUZ. Elektromekhanika, no. 9, 1966, 1032-1037

TOPIC TAGS: temperature transducer, circuit design

ABSTRACT: The scientific research laboratory of automation of production processes at the Novochoerkassk Polytechnical Institute has developed and tested a circuit designed for correction of dynamic error in thermoreceptors with time constants from 800 seconds to 1/10 second. The principle of the electric correction is series connection of the temperature transducer and a connecting link whose transfer function is the inverse of the transfer function of the transducer. Since the transfer functions of industrial thermoreceptors can be approximated by an inertial link of first, second or higher orders, the correcting link must be a first, second or higher order differentiating link. The device developed is based on an operational amplifier with automatic zero stabilization and flexible feedback. Orig. art. has: 3 figures and 14 formulas. [JPRS: 39,183]

SUB CODE: 09 / SUBM DATE: 30Dec64 / ORIG REF: 003

Card 1/1

UDC: 62-52+681.2.083.8

BELUGIN, D.A., kandidat voyennykh nauk, polkovnik; ZVEREV, V. Ye.,
polkovnik; DANILIN, V.N., inzhener-polkovnik; VOROB'YEV, P.A.
polkovnik, redaktor; KONOVALOVA, Ye.K., tekhnicheskii redaktor.

[Artillery reconnaissance by instruments; a textbook for
artillery schools] Artilleriiskaya instrumental'naya razvedka;
uchebnik dlia artilleriiskikh uchilishch. Moskva, Voen.izd-vo
M-va obor.SSSR, 1956. 483 p. (MIRA 10:6)
(Military reconnaissance)
(Artillery, Field and mountain)

SOV/110-58-11-16/28

AUTHORS: Zverev, V.V. (Engineer), and Utrobin, B.V. (Engineer).

TITLE: Theory and Practice of Packing Copper and Aluminium Cores of Power Cables (Teoriya i praktika uplotneniya mednykh i alyuminiyevykh zhil silovykh kabeley).

PERIODICAL: Vestnik Elektromyshlennosti, Nr.11, 1958, pp.56-60, (USSR).

ABSTRACT: Heavy-section power cables are stranded for flexibility; then the conductors are packed by compression in special rollers to increase the filling factor and reduce the external diameter. The benefits that result from this process are enumerated. A simplified account is given of the processes that occur during the packing of the conductors. The process is considered one layer at a time and it is assumed that the first layer is packed before the second lay is applied. In the usual construction, where the conductors are not packed in this way, all the strands are of the same diameter, but with the packed construction each radial layer should contain wires smaller in diameter than those beneath it so that

Card 1/2

SOV/110-58-11-16/28
Theory and Practice of Packing Copper and Aluminium Cores of Power Cables.

the wires lie correctly on the underlying packed layers. Equations are given by means of which wire diameters for successive layers may be calculated. Expressions are also given for the external diameters of conductors. The equipment required for packing conductors in the factory is described. The rolls used to pack the conductors are of special profile and a description of these is given. Types of profile used are sketched in Figs. 2, 3 & 4. There are 5 figures, 1 table.

SUBMITTED: April 24, 1957.

1. Electric cables--Cores
2. Electric cables--Construction

Card 2/2

SOV/110-58-11-22/28

AUTHORS: Pashchenko, V.Ye. (Engineer) and Zverev, V.V. (Engineer)

TITLE: Discussion of Engineer I.V. Kuranov's Article (Po povodu stat'yi Inzh. I.V. Kuranova).

PERIODICAL: Vestnik Elektromyashennosti, Nr.11, 1958, p.71, (USSR)

ABSTRACT: This is a discussion of the previous article on "Increasing the output of cable-making machinery". These authors claim that although Kuranov's ideas are all right in principle, his approach is over-simplified. For example, cable-making machines with armouring heads usually have additional heads for applying paper, and these cannot necessarily be speeded-up in the same way. In particular, it is difficult to maintain constant tension of the paper at variable machine speeds. Kuranov's suggestion may be applicable to simple machines with no paper-winding heads, provided that it is possible to change all the reels at once, but even then the increase in output will not be so great as he claims. Each

Card 1/2

SOV/110-58-11-22/28

Discussion of Engineer I.V. Kuranov's Article.

particular case must be examined on its merits.

1. Electric cables--Production 2. Machines--Performance

Card 2/2

ZVEREV, V. A.

APPROVED FOR RELEASE: Thursday, September 26, 2002
APPROVED FOR RELEASE: Thursday, September 26, 2002

CIA-RDP86-00513R002065710009-1
CIA-RDP86-00513R002065710009-1

Wireless Engineer
June 1954
Acoustics and Audio Frequencies

①
"Modulation Method of Measurement of Ultrasonic Dispersion," V. A. Zverev (C. R. Acad. Sci. U.R.S.S., 1st Aug. 1953, Vol. 80, No. 4, pp. 701-704. In Russian). This method was used in the experimental determination of dispersion in a long Ni wire, using a 1-Mc/s ultrasonic wave modulated at 100 kc/s. Fractional differences of velocity down to $\sim 2.4 \times 10^{-5}$ were readily observed.

[Handwritten signature]
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"APPROVED FOR RELEASE: Thursday, September 26, 2002 CIA-RDP86-00513R002065710009-1
"APPROVED FOR RELEASE: Thursday, September 26, 2002 CIA-RDP86-00513R002065710009-1"
GUDOVICH, G.A., inzhener; ZVEREV, V.A., inzhener; OSIPOV, A.M., inzhener.

Automatic reclosing diagrams for switches of remote controlled
units. Elek.sta. 25 no.2:51-52 F '54. (MIRA 7:2)
(Electric switchgear)

✓ 1921. A CAPACITIVE ANALYSER OF A SOUND FIELD. 534.231
V.A. Zverev, V.M. Bokor and N.E. Lys't.
Akust. Zh., Vol. 1, No. 3, 218-20 (1955). In Russian.
An experiment is described in which the sound field in a liquid is investigated by means of the variation of the permittivity with pressure in the medium. In water a change of permittivity at 5 Mc/s of the order of 10^{-4} is obtained for a sound frequency 85 kc/s and pressure change of 10^4 bars.
C.R.S. Minors

Gorkiy Res. Phys.-Tech. Inst., Gorkiy State U.

✓ 4908. THE PROBLEM OF INTERACTION OF SOUND WAVES. A.O. Gornik and V.A. Zyukov. Akust. Zh., Vol. 1, No. 4, 1977, (1977), 14. Russian. A method similar to that of J.L. Serfaty can be employed for detecting and studying acoustic wave interaction in fluids. The very small modulation caused by this interaction can be detected but its amplitude and phase can also be determined. C.R.S. M. dera

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Gorki Physical Research Institute, Gorki State University, Gorki

"Modulation Method for Measurements of Ultrasonic Dispersion" paper presented at
2nd International Congress on Acoustics, Cambridge, Mass., 17-23 June 1956.

So: B-100200

~~ZVEREV, V.A.~~

Feasibility of absolute calibration of sound emitters and receivers
using radiation pressure as a basis and not using a radiometer.
Akust.zhur.2 no.4:378-379 O-D '56. (MIRA 10:1)

1. Gor'kovskiy issledovatel'skiy fiziko-tekhnicheskiy institut pri
Gor'kovskom gosudarstvennom institute.
(Sound--Measurement)

ZVEREV, V.A.

46-4-3/17

AUTHOR: Zverev, V.A.

TITLE: The Effect of Directivity of a Receiving System on the Mean Intensity of a Signal Received as a Result of Scattering.
(Vliyaniye napravlenosti priyemnogo ustroystva na srednyuyu intensivnost' signala, prinyimayemogo za schet rasseyaniya)

PERIODICAL: Akusticheskiy Zhurnal, 1957, Vol.III, Nr 4, pp.329-336
(USSR)

ABSTRACT: There are two ways of discussing the propagation of waves in a medium with small random non-uniformities in the refractive index. Obukhov (Ref.5), Chernov (Ref.4), and a number of other workers have solved the problem of amplitude and phase fluctuations of a wave at some point on the wave front as functions of the distance L traversed by the wave in a non-uniform medium. In papers concerned with scattering of waves (Refs.1, 2 and 3) the mean intensity of scattered radiation at some angle θ to the direction of the wave vector of the undisturbed wave is computed. Which of these two methods is adopted depends on the directivity of the receiving and transmitting antennae.

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The Effect of Directivity of a Receiving System on the Mean
Intensity of a Signal Received as a Result of Scattering.

In fact, in the case of non-directional antennae, the dimensions of which are much less than the wavelength, the first method is used. The second method is used in the case of very directional antennae. However, it is shown in the present paper that these criteria are insufficient. In addition, one must know the "directivity of the radiation from the non-uniformities" (this concept is defined in the present paper). Expressions are derived for the dependence of the mean intensity of the received scattered intensity on the directivity of the receiving system. It is assumed that the scattering takes place on non-uniformities in the speed of propagation of the waves and that the scattering volume is in the Fraunhofer region relative to the receiving system. It is shown that in order to obtain the scattered intensity it is sufficient to know the correlation function in directions perpendicular to the distances which do exceed the dimensions of the receiver. There are 2 Russian and 3 English references.

Card 2/3

46-4-3/17

The Effect of Directivity of a Receiving System on the Mean
Intensity of a Signal Received as a Result of Scattering.

ASSOCIATION: Scientific Research Radiophysical Institute of the
Gorki State University (N.-i. radiofizicheskii institut
pri Gor'kovskom gosudarstvennom universitete)

SUBMITTED: January 22, 1957.

AVAILABLE: Library of Congress.

Card 3/3

1. Antennas 2. Microwave scattering 3. Scattering-Intensity-Theory

"Propagation of a Modulated Wave in a Randomly Inhomogeneous Medium."

with KALACHEV, A. L., "Frequency Modulation Applied to Acoustic Measurements"

paper⁴ presented at the 4th All-Union Conf. on Acoustics, Moscow, 26 May - 2 Jun 58.

"The Wave Propagation in Mediums With Random Heterogeneities".

report presented at the All-Union Conference on Statistical Radio Physics,
Gor'kiy, 13-18 October 1958. (Izv. vyssh uchev zaved-Radiotekh., vol. 2,
No. 1, pp 121-127) COMPLETE card under SIFOROV, V. I.)

SOV/46-4-4-4/20

AUTHORS: Zverev, V.A. and Kalachev, A.I.

TITLE: Measurement of the Interaction of Sound Waves in Liquids (Izmereniye vzaimodestviya zvukovykh voln v zhidkostyakh)

PERIODICAL: Akusticheskiy Zhurnal, 1958, Vol 4, Nr 4, pp 321-324 (USSR)

ABSTRACT: Zverev and Gerelik (Ref 1) showed experimentally that if a high-frequency wave field interacts at right-angles with a low-frequency field, then the high-frequency wave is phase modulated. The present paper describes an approximate calculation and quantitative measurements of such an interaction. This interaction is due to non-linearity of the medium which appears as non-linearity of the hydrodynamic equations and the equation of state. The equation-of-state non-linearity predominates and calculations are based on the assumption that the hydrodynamic non-linearity can be neglected. The phase modulation of the high-frequency wave is due to a periodic change of its velocity in the field of the stronger low-frequency wave. The waves studied by the authors had frequencies of 1.3×10^6 c/s and 3×10^3 c/s respectively. The experimental technique employed followed Ref 1. The apparatus used is shown schematically in Fig 1. It consists of a high-frequency generator 1, a phase-shifter 2, a high-frequency amplifier 3, a balancing

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Measurement of the Interaction of Sound Waves in Liquids

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amplifier 4, a detector 5, a low-frequency amplifier and filter 6, a 2G-10 low-frequency generator 7, a VKS-7 valve voltmeter 8, a LV-9 valve voltmeter 9, a Plexiglas bath 10, a quartz vibrator (producing 1.3×10^6 c/s) 11, a quartz receiver 12, bellows 13 and an electrodynamic vibrator (producing 3×10^3 c/s) 14. Measurements were made in tap (mains) water, in 93.5% ethyl alcohol, and in 21.6% NaCl solution. Fig 3 gives the vertical distribution of pressure above the centre of the high-frequency vibrator. The ordinate give the values of the logarithm of the voltage produced by a BaTiO₃ probe used to measure pressure, while the abscissa gives the distance from the vibrator. Distribution of pressure (in bars) along a horizontal line away from the high-frequency vibrator is given in Fig 4. In both Figs 3 and 4 curves 1, 2 and 3 denote tap water, NaCl solution and ethyl alcohol respectively. The pressure distributions given in Figs 3 and 4 show that the high-frequency waves are not planar. This fact was allowed for in calculations of the rate of change of the sound velocity c with pressure p (dc/dp). The value of dc/dp was obtained from the measured phase modulation of the high-frequency wave. The results obtained are given in a table on p 324. The sixth column gives the values of dc/dp

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Measurement of the Interaction of Sound Waves in Liquids

obtained by the present authors; the seventh column gives dc/dp calculated from static measurements described in Refs 2, 3. From the results obtained the values of the constant b which occurs in the equation of state $P = ap + bp^2$ (P and p are departures of pressure and density from their equilibrium values, $a = c_0^2$ = the square of sound velocity at infinitely small densities and b = a constant for a given medium) were obtained for the three liquids investigated. The values of b and b/a are given in the third and fourth columns of the table. The values of the ratio B/A which occurs in the equation of state $P = Ap/\rho_0 + (B/2)(p/\rho_0)^2$ were also obtained and are given in the fifth column of the table. The latter equation of state comes from Ref 4. The authors' estimate the accuracy of their values of dc/dp to be 17%. There are 4 figures, 1 table and 5 references, 3 of which are American and 2 Soviet.

ASSOCIATION: Gor'kovskiy gosudarstvennyy universitet (Gor'kiy State University)

SUBMITTED: September 18, 1957

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69946

SOV/141-2-4-1/19

9.9000

AUTHORS:

Denisov, N.G. and Zverev, V.A.

TITLE:

Some Problems in the Theory of Wave Propagation in
Media With Random Irregularities (A Review)

PERIODICAL:

Izvestiya vysshikh uchebnykh zavedeniy, Radiofizika,
1959, Vol 2, Nr 4, pp 521 - 542 (USSR)

ABSTRACT:

The present review discusses methods of solution of
phenomenological problems in the theory of wave
propagation in media with random irregularities, i.e.
the methods of calculation of the statistical
properties of the field of a wave which has passed
through a nonhomogeneous layer. Among these statis-
tical properties are the amplitude and phase
fluctuations and the corresponding correlation functions.
The discussion also includes the diffraction at
irregular screens and certain problems in scattering
theory. The review covers mainly those topics which
have not been considered in existing reviews and mono-
graphs, e.g. those by Chernov and Rønliffe (Refs 1, 3).
Moreover, in distinction to the existing reviews and
monographs, the present paper includes a discussion

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SOV/141-2-4..1/19

Some Problems in the Theory of Wave Propagation in Media With
Random Irregularities (A Review)

of the regular refraction of waves in a non-uniform layer. The paper is divided into four sections, namely: 1) geometrical optics approximation; 2) the method of continuous perturbations; 3) diffraction of waves by an irregular screen and 4) the scattering of waves by small irregularities. There are 31 references, of which 19 are Soviet, 4 German and 8 English.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy institut
pri Gor'kovskom universitete (Scientific Research
Radiophysics Institute of Gor'kiy University)

SUBMITTED: June 15, 1959

Card 2/2

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E192/E382

9:6000

AUTHORS: Zverev, V.A. and Orlov, Ye.F.

TITLE: Equipment for the Measurement of the Spectra and
Correlation Functions of Low-frequency Processes

PERIODICAL: Pribery i tekhnika eksperimenta, 1960, Nr 1,
pp 50 - 57 (USSR)

ABSTRACT: The instrument is illustrated schematically in Figure 1.
S is a light source which illuminates two parallel
films Π_1 and Π_2 . The processes to be investigated
 $g(x_1)$ and $f(x)$ are recorded on the films along the
"window" having a length $D_{\text{make}} = 300 \text{ mm}$. The
transparency $f(x)$ of the film Π_2 as a function of x
corresponds to a time-dependent process
 $f(t).x = vt$, where v is the velocity of motion of
the film during the recording of the signal. The light
transmitted through the superimposed films Π_1 and Π_2
falls on a set of photo cells. The current of the photo

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Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

cells is proportional to the light flux impinging on it
and can be expressed by:

$$i = B \int_{-D/2}^{+D/2} f(x)g(x_1)dx \quad (3) .$$

If the film Π_1 , having a transparency $g(x_1)$ is
moved with respect to Π_2 by a quantity ξ , the
current is:

$$i_{\xi} = B \int_{-D/2}^{+D/2} f(x)g(x - \xi) dx \quad (4) .$$

Card2/5 The quantity measured by the meter 1 (Figure 1) and
recorded by a registering device 2 is proportional to
the correlation function of the process $f(t)$ and $g(t)$
at the point ξ . By changing ξ , which can be done by

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Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

moving one of the films with respect to the other, it is possible to determine the type of the correlation function. In order to determine the spectrum of $f(x)$ it is necessary to express $g(x)$ in the form:

$$g(x) = \cos k_n (x - \xi) \quad (5)$$

with different k_n . If $k_n = 2\pi n/D$, then:

$$i_\xi = BDC_n \cos (k_n \xi - \varphi_n) \quad (6)$$

which shows that the amplitude of the output signal is proportional to the spectral amplitude of the signal $f(x)$. The instrument constructed on the above principle had the frequency range from 1/300 to 3 c/s. The averaging time could be as high as 300 sec. Some of the experimental results obtained by means of the instrument

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Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

are shown in Figures 2-11. Figure 3 shows a comparison of the correlation function measured by the instrument (solid line) with the calculated results which are indicated by the crosses. Figures 4 show the response of the system to a sinusoidal signal for various window lengths. Figure 5 gives the cross correlation function for a pulse train having a mark-to-space ratio of 1:2 and a sinusoidal signal. Figures 6-8 show the oscillograms of certain processes and their correlation and spectrum functions over a certain frequency bandwidth. Figure 9 shows the acceleration processes in a seat of the car, type M-21 "Volga", produced at the Gor'kiy Car Factory and the correlation function of the acceleration curve. Figures 10-11 give the recordings of human heart signals and their autocorrelation functions. There are 11 figures and 4 references, 3 of which are English and 1 Soviet. 4

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Equipment for the Measurement of the Spectra and Correlation
Functions of Low-frequency Processes

ASSOCIATIONS: Nauchno-issledovatel'skiy radiofizicheskiy institut
(Scientific-research Radiophysics Institute) of
Gor'kovskiy gosudarstvennyy universitet (Gor'kiy State
University)

SUBMITTED: December 26, 1958

4

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S/141/60/003/004/018/019
EO32/E314

AUTHOR: Zverev, V.A.

TITLE: Dispersion Properties of Media Containing Random Irregularities

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Radiofizika, 1960, Vol. 3, No. 4, pp. 723 - 724

TEXT: In a previous paper (Ref. 1) the present author showed that during the propagation of a modulated wave in a medium containing random irregularities, the change in the character of the modulation is similar to that in the case of a dispersive medium. This change is determined by the value of the phase invariant:

$$\varphi = \varphi_0 - (\varphi_1 + \varphi_2)/2 \quad (1)$$

(Ref. 2), where φ_0 is the phase of the carrier and $\varphi_{1,2}$ are the phases of the side components.

The calculation given in Ref. 1 was concerned only with small values of φ^2 . It follows from Eq. (1) that the correlation Card 1/2

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E032/E314

Dispersion Properties of Media Containing Random Irregularities
function for the phase invariant can be written in the form
of Eq. (2), where $\varphi_i(\xi)\varphi_j(\xi')$ are the correlation functions
for phase changes on frequencies ω_i and ω_j . In accordance
with Eq. (2), the spectrum of $\varphi_i(\xi)\varphi_j(\xi')$ is the sum of the
spectra of the correlation functions $\varphi_i(\xi)\varphi_j(\xi')$.

Using the method put forward by Tatarskiy in Ref. 3, a general
expression is derived for the correlation function for the
phase invariant (Eq. (7)). The derivation is based on Eq. (3),
which was detailed by Tatarskiy in Ref. 3.
There are 3 Soviet references.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy
institut pri Gor'kovskom universitet
(Scientific Research Radiophysics Institute of
Gor'kiy University)

SUBMITTED: April 26, 1960

Card 2/2

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S/141/60/003/005/021/026
E032/E314

99300

AUTHOR: Zverev, V.A.

TITLE: Scattering of Modulated Waves by Random
Irregularities

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Radiofizika, 1960, Vol. 3, No. 5, pp. 903 - 904

TEXT: The study of the propagation of a modulated wave can
be used to obtain information about the degree of correlation
for fluctuations at different frequencies. The degree of
correlation can be determined by measuring the mean square
of the "phase invariant" (Ref. 1)

$$\langle \Phi \rangle = \varphi_0 - (\varphi_1 + \varphi_2)/2 \quad (1)$$

where φ_0 is the phase of the carrier and $\varphi_{1,2}$ is the
phase of the side components. In the case of complete
correlation of fluctuations in phase, fluctuations in the
phase invariant vanish, while in the complete absence of
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Scattering of Modulated Waves by Random Irregularities
correlation

$$\overline{\Theta}^2 = (3/2)\overline{\varphi}^2 \quad (2) .$$

In a number of cases $\overline{\varphi}^2$ can be estimated from the mean square value of fluctuations in the level of the received signal. In the case of scattering by weak irregularities, correlation functions for the scattered field, phase and amplitude, at a large distance from the scattering centres, are practically identical. A sufficient condition for the identity of the correlation functions for the field and phase is a low value of the modulus of the mean square fluctuation of the complex phase. The present author determines the correlation of scattered fields at different frequencies and assumes that the angle ϑ at which the scattering is observed is independent of frequency and that dispersion is absent. Assuming that the scattering occurs on weak

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Scattering of Modulated Waves by Random Irregularities
irregularities, the scattered field at a large distance
from the scattering centre is written down in the form

$$E = \frac{E_0 k_o^2 \sin \alpha}{4\pi R} \epsilon_k \quad (3)$$

where E_0 is the amplitude of the incident wave,
 k_o is the wave vector of the incident wave,
 α is an angle representing the polarisation,
 R is the distance from the scattering volume and
 ϵ_k is given by

$$\epsilon_k = \int_V \Delta \epsilon(x, y, z) e^{i\mathbf{K}\mathbf{r}} \quad (4)$$

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Scattering of Modulated Waves by Random Irregularities

In this expression, $\Delta\epsilon$ is the fluctuation in the refractive index, $\underline{K} = \underline{k}_0 - \underline{k}$, where \underline{k} is the wave vector of the scattered field and

$$|\underline{K}| = 2k_0 \sin(\theta/2) \quad (5) .$$

The required correlation is defined by

$$\overline{E(\underline{k}_1)E(\underline{k}_2)} = \frac{E_0^2 k_1^2 k_2^2 \sin \kappa}{(4\pi R)^2} \overline{\epsilon_{\underline{k}_1} \epsilon_{\underline{k}_2}^*} \quad (6) .$$

It then remains to compute the quantity $\overline{\epsilon_{\underline{k}_1} \epsilon_{\underline{k}_2}^*}$. It is

shown that for a spherical scattering centre having radius R the latter quantity is given by

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Scattering of Modulated Waves by Random Irregularities

$$\overline{\epsilon_{k_1} \epsilon_{k_2}} = (\overline{\epsilon_k})^2 \frac{2}{(\Delta k R)^2} \left[\frac{\sin(\Delta k R)}{\Delta k R} - \cos(\Delta k R) \right] \quad (12)$$

where $\Delta k = 2c^{-1}(\omega_1 - \omega_2)\sin(\Omega/2)$. For modulated vibrations $\omega_1 - \omega_2 = \Omega$, where Ω is the modulation frequency. For given \mathcal{V} , $\Delta k R$ is proportional to the ratio of the diameter of the centre to the wavelength on the modulation frequency. When the wavelength on the modulation frequency is greater than $2R$, the scattered carrier and side frequencies will be correlated and fluctuations in θ will be very small. If on the other hand the wavelength on the modulation frequency is considerably lower than $2R$ then fluctuations in θ will reach a maximum. Thus, a study of the scattering of modulated waves may be used to provide

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Scattering of Modulated Waves by Random Irregularities
information on the order of magnitude of the scattering
centre and its form.
There is 1 Soviet reference.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy
institut pri Gor'kovskom universitete
(Scientific Research Radiophysics Institute
of Gor'kiy University)

SUBMITTED: May 5, 1960

Card 6/6

ZVEREV, V.A., KALACHEV, A.I.

Application of frequency modulation to acoustic measurements.
Akust. zhur. 6 no.2:205-212 '60. (MIRA 13:8)

1. Nauchno - issledovatel'skiy radiofizicheskii institut pri
Gor'kovskom gosudarstvennom universitete.
(Sound waves)

VASIL'YEV, V.G.; ZVEREV, V.A.

Electric model of a rectifying bridge circuit. Izv. vys. ucheb. zav.;
elektromskh. 4 no. 1:75-82 '61. (MIRA 14:4)
(Bridge circuits--Models)

S/141/61/004/002/008/017
E192/E382

9,9000

AUTHORS: Zverev, V.A. and Orlov, Ye.F.

TITLE: Information transmission Rate in a Channel With
Multipath Propagation

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy,
Radiofizika, 1961, Vol. 4, No. 2, pp. 282 - 292

TEXT: The problem of channel capacity of multipath
communications channels with constant or variable parameters
has been considered by various authors - R.L. Dobrushin
(Ref. 4 - Teoriya veroyatnostey i eye primeneniye, 3, 395,
1958), B.S. Tsybakov (Radiotekhnika i elektronika, 1958, 4,
1427 - Ref. 5) and J. Feinstein (J. Appl. Phys., 26, 219, 1955 -
Ref. 6). The problem is investigated further in this paper.
It is assumed that the investigated channel is in the form
shown in Fig. 1. The signal $x(t)$ propagates through a
multipath medium by various routes and at the receiver it is
in the form :

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Information transmission Rate

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$$y(t) = \sum_{r=1}^n a_r x(t - \tau_r) \quad (1)$$

where a_r and τ_r are the damping coefficient and the propagation time for the small r -th path, respectively. The frequency characteristic of the multipath channel is written as:

$$k(f) = \sum_{r=1}^n a_r e^{i2\pi f \tau_r} \quad (2)$$

The output signal contains correlation couplings of the type:

$$B_y(\tau) = \sum_{r=1}^n \sum_{s=1}^n a_r a_s B_x(\tau + \tau_r - \tau_s) \quad (3)$$

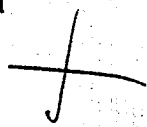
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Information-transmission Rate ... S/141/61/004/002/008/017
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where B_y and B_x are the autocorrelation functions of the signals $y(t)$ and $x(t)$. The signal at the receiver, together with the noise $z(t)$, appears at the output of the communications channel, where the total signal can therefore be expressed as:

$$v(t) = \sum_{r=1}^n a_r x(t - \tau_r) + z(t) \quad (4)$$

The information-transmission rate C , when the signal at the input of the channel has normal distribution, can be expressed by (Ref. 1 - K. Shannon - The Theory of Electrical Signal Transmission in the Presence of Noise, IL, Moscow, 1953) (Ref. 7 - P. Elias - Proc. IRE, 39, 839, 1951):



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$$C = \lim_{T \rightarrow \infty} \left[\frac{1}{T} \log M^{1/2} \right] \quad (7)$$

where M is the correlation matrix of the output signal:

$$|M| = \begin{vmatrix} \overline{v_1 v_1} & \dots & \overline{v_1 v_N} \\ \vdots & \ddots & \vdots \\ \overline{v_N v_1} & \dots & \overline{v_N v_N} \end{vmatrix}$$

where v_j are the values of the output signal at the sampling time intervals. On the basis of Eq. (7) it is possible to express the channel-information capacity in terms of the spectral functions of the signal (Ref. 2 - Cybernetics. izd. Sov. radio, M., 1958 - N.Wiener; Ref. 8 - Dokl. Ak.nauk SSSR, 99, 213, 1954 - M.S. Pinskor):

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Information-transmission Rate S/141/61/004/002/008/017
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$$C = \frac{1}{T} \log \prod_j^N \left(1 + \frac{|y(f_j)|^2}{|z(f_j)|^2} \right) = \frac{1}{T} \sum_{j=1}^n \log \left(1 + \frac{|y(f_j)|^2}{|z(f_j)|^2} \right), \quad (8)$$

where $|y(f_j)|^2$ and $|z(f_j)|^2$ are spectral densities of the signals $y(t)$ and $z(t)$. If the signal and noise spectra (σ_x^2 and σ_z^2) are independent of frequency, Eqs (7) and (8) can be written as:

$$C = F \log \left(1 + \frac{\sigma_y^2}{\sigma_z^2} \right) + \lim_{T \rightarrow \infty} \left[\frac{1}{T} \log |R|^{1/2} \right]; \quad (7a)$$

$$C = \int_0^F \log \left(1 + \frac{\sigma_y^2}{\sigma_z^2} \frac{|k(f)|^2}{\frac{1}{F} \int_0^F |k(f)|^2 df} \right) df. \quad (8a)$$

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where R is the matrix of the correlation coefficients of the signal at the output of the channel (corresponding to the matrix M). In the case of a two-path propagation, it can be assumed that the signals received have amplitudes a_1 and a_2 and that the relative delay time is τ . The frequency characteristic of this channel is:

$$|k(f)|^2 = a_1^2 + a_2^2 + 2a_1a_2\cos(2\pi f\tau) \quad (13)$$

so that the channel capacity is given by:

$$C = \int_0^F \log[1 + \alpha(a_1^2 + a_2^2) + 2\alpha a_1a_2\cos(2\pi f\tau)] df \quad (14)$$

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Information-transmission Rate S/141/61/004/002/008/017
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where $\alpha = \sigma_x^2 / \sigma_z^2$. The effect of two-path propagation is illustrated in Fig. 2, where F is the bandwidth of the transmission channel. The channel capacity of a system with n -path propagation, having a maximum delay time T_p and spectral distribution for the amplitude of the received signal $K(f)$, is also investigated and it is shown that in this case the capacity is expressed by:

$$C = - \frac{F e^{\sigma_z^2 / \sigma_y^2}}{\ln 2} \text{Ei} \left(- \frac{\sigma_z^2}{\sigma_y^2} \right) \quad (19)$$

where $\text{Ei}(x)$ is the integral exponential function which can be represented in the form of the following series:

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$$E_i(x) = c + \ln(-x) + \frac{x}{1.1!} + \frac{x^2}{2.2!} + \dots + \frac{x^n}{n.n!} + \dots \quad (20)$$

($x < 0$)

where $c = 0.57$. On the other hand, for an n -path propagation channel the rate of information-transmission is a minimum if the energies transmitted to the receiver by various paths are equal and the signal delays along the various paths are the same. The frequency characteristic of such a channel is given by:

$$|k(f)|^2 = \left| \frac{\sin(\pi n f \tau)}{\sin(\pi f \tau)} \right|^2 \quad (23)$$

where τ is the delay time, and its capacity is expressed by:

$$C = F \log(a^2/\sigma_z^2) + \int_0^\infty \log \left| \frac{\sin(\pi n \tau f)}{\sin(\pi \tau f)} \right| df \quad (24).$$

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Information-transmission RateE192/E382

In general, the signal at the output of a multipath propagation channel, which is defined by Eq. (4), has fluctuation amplitudes a_r and delay times τ_r . Due to the presence of a large number of interfering paths or rays, it can be assumed that the changes of the transfer function for the channel at various frequencies are independent. The frequency interval Δf for the correlation of these changes is dependent on the reverberation time T_p ; this is defined by:

$$\Delta f = 1/T_p \quad (26)$$

The qualitative estimate of a multipath communications channel with variable parameters can be estimated on the basis of the work of Feinstein (Ref. 6), who gave a formula for the capacity of a channel whose output signal was in the form:

$$v(t) = K(t)y(t) + z(t) \quad (27)$$

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Information-transmission Rate ... S/141/61/004/002/008/017
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where $K(t)$ is a random modulation function having the normal probability distribution. The formula for the information-transmission rate is in the form:

$$C = \Delta f \log \left\{ 1 + \frac{\sigma_y^2}{\sigma_x^2 + \overline{K^2} \sigma_y^2 / [1 + \overline{K^2} (q - 1) \sigma_y^2 / \sigma_x^2]} \right\} \quad (28)$$

where Δf is the bandwidth of the signal frequencies,
 $\overline{K^2}$ is the mean square value of the fluctuations of $K(t)$,
 q is the number of sampling points for the signal at which the values of $K(t)$ are correlated.

It can easily be shown that:

$$q = \Delta f T_{0\Omega} \quad (29)$$

where $T_{0\Omega}$ is the autocorrelation interval for the modulating function $K(t)$.

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A multipath channel with variable parameters can be split into a number of sub-channels, whose bandwidths are less than the frequency interval Δf . The capacity can be expressed by:

$$C = \int_0^{\Delta f} \log \left\{ 1 + \frac{\sigma_s^2 K_f^2}{\sigma_s^2 + \bar{K}^2 \sum_j K_j^2 / [1 + \bar{K}^2 (q - 1) \sum_j K_j^2 / \sigma_s^2]} \right\} df. \quad (30)$$

provided the interaction between the neighbouring sub-channels is disregarded. On the basis of the above formulae, it is concluded that in a channel with constant parameters, the presence of many propagation paths does not reduce the capacity of the channel; in most cases, the channel capacity is equal to the capacity of a single-path channel whose energy is equal to the total energy of all the "paths" transmitted to the receiver. On the other hand, the occurrence of the equidistance distribution of delay times is very improbable in normal conditions. In the case of a channel with variable parameters, the fluctuations of the parameters have a significant effect

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on the channel capacity: the capacity is dependent on the width of the spectrum and the magnitude of the changes of the transfer function of the channel. The capacity of a multipath communications channel can be determined if the following quantities are known: correlation in the signal produced by the multipath propagation; time and frequency correlation of the amplitude fluctuations of the received signal and the width of the spectrum at the output of the channel when a sinusoidal signal is applied at the input. There are 3 figures and 8 references: 6 Soviet and 2 non-Soviet. Two of the Soviet references are translated from English.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy institut pri Gor'kovskom universitete (Scientific Research Radiophysics Institute of Gor'kiy University)

SUBMITTED: September 22, 1960

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ZVELEV, Vitaliy Anatol'yevich, dots.

[Theory of probability with a supplement to information theory; textbook for students of the second and third year of the faculty of radio physics] Teoriia veroiatnostei s prilozheniem k teorii informatsii; uchebnoe posobie dlia studentov II i III kursov radiofizicheskogo fakul'teta. Gor'-kii, Gor'kovskii gos. univ. im. N.I.Lobashevskogo. Nos. 1-3. 1961. 123 p.

(MIRA 17:4)

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30048
S/046/61/007/004/003/014
B139/B102

AUTHORS: Zverev, V. A., Spiridonova, I. K.

TITLE: Determination of atmospheric turbulence characteristics on the basis of statistical sound-field analysis

PERIODICAL: Akusticheskiy zhurnal, v. 7, no. 4, 1961, 428-435

TEXT: Phase and amplitude fluctuations occurring in the propagation of sound waves in the atmosphere are caused by inhomogeneities. The authors developed a method for the determination of atmospheric inhomogeneities and mean squares of phase fluctuations by measuring the correlation coefficient of a sound field in the atmosphere. L. A. Chernov (Akust. zh., 1957, 3, 2, 192-194) established a relation between the field correlation function and the autocorrelation functions of amplitude and phase fluctuations for the case of crosscorrelation;

$$\overline{E_1 E_2} = E_0^2 \exp(2A^2) \exp \left[\overline{A^2} (R_A - 1) + \overline{\varphi^2} (R_\varphi - 1) \right] \quad (2),$$

where E is the field, A is the amplitude fluctuation, φ is the phase
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fluctuation, R_A and R_φ are the correlation coefficients of amplitude and phase fluctuations, respectively. The authors determined the field correlation caused only by a phase fluctuation. In this case ($A = 0$),

$$\ln R_E = \overline{\varphi^2} (R_\varphi - 1) \quad (5)$$

is valid. For $d \ll a$, and considering that, in the case of crosscorrelation $R_\varphi = \exp(-d^2/a^2)$, Eq. (5) goes over into

$$\ln R_E = - \overline{\varphi^2} \frac{d^2}{a^2} \quad (8).$$

d is the base, and a is the dimension of inhomogeneities. If, however, $d \gg a$, $\ln R_E = -\overline{\varphi^2}$. $\ln R_E = f(d^2)$ is a straight line which passes through

the origin and forms an angle α with the abscissa: $a = \sqrt{\overline{\varphi^2} \tan \alpha}$.
 K. A. Norton calculated R_E from the curve $\varphi_{k_1} = f(\varphi)$ ($\varphi = d/a$), and

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obtained $\ln R_E = \frac{\varphi^2}{2\alpha^2} d^2$ for $d \ll a$

(14)

and $\ln R_E = -\overline{\varphi^2}$ for $d \gg a$

(15).

If only the statistical parameters a and $\overline{\varphi^2}$ of the medium are to be calculated, the results obtained by the two methods are in good agreement. However, theoretical considerations support Norton's method and the values obtained by this theory. $R_E(d)$ is difficult to determine, since

measurement results obtained at different times are influenced by the turbulence of the medium. The authors, however, made simultaneous measurements at several points, along the direction of sound-field propagation and also at right angles to it. Waves were recorded by several receivers on a four-channel magnetic tape, and the signals were evaluated in the laboratory. Signals from two channels were fed by amplifiers into two dynamic loudspeakers. Each loudspeaker was installed in a tube (to isolate the signals) with a microphone at the other end. One microphone was fixed, while the other was moved in the direction of

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wave propagation. Via amplifiers the signals were fed from the microphones to the two correlometer inputs, and the signals from the correlometers were fed into a loop oscilloscope. L. A. Chernov, Rasprostraneniye voln v sredе so sluchaynymi neodnorodnostyami. M., Izd-vo AN SSSR, 1958 is mentioned. There are 8 figures and 10 references: 9 Soviet and 1 non-Soviet. The reference to the English-language publication reads as follows: K. A. Norton, J. atm. and ter. phys. 1959, 15, nos. 3/4, 206-227. X

ASSOCIATION: Radiofizicheskiy institut pri Gor'kovskom gosudarstvennom universitete (Radiophysical Institute of Gor'kiy State University)

SUBMITTED: January 16, 1961

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E140/E463

AUTHORS: Zverev, V.A., Mosalov, I.V., Orlov, Ye.F.,
Sibiryakov, V.L.

TITLE: Spectrum analyser for film-recorded processes

PERIODICAL: Pribory i tekhnika eksperimenta, no.1, 1962, 110-117

TEXT: The authors describe a variation of the well-known optical spectrum analyser in which a periodic mask (filter) is passed before a density (or amplitude) variable negative of the process to be analysed. The disadvantages of the existing systems are the large number of filter transparencies required, the long time for a full analysis, lack of precision in the preparation of the filters and the impossibility of obtaining the spectral density at a given frequency. The authors therefore have proposed and realized an improved system using two mutually inclined diffraction gratings (Fig.3). Assuming the gratings to be sinusoidal (in the first approximation), the transmissibilities of the gratings are described by

$$A + B \cos \left[(2\pi/d)(x \cos \alpha + y \sin \alpha) - \varphi_1 \right] \quad (1)$$

$$A + B \cos \left[(2\pi/d)(x \cos \alpha - y \sin \alpha) - \varphi_2 \right] \quad (2)$$

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Since the light passes successively through the two gratings, the light flux at the output of the second grating will be the product of (1) and (2). Now, if we let the gratings vibrate with common amplitude a and frequency Ω in phase opposition, and in the directions α and $-\alpha$, the photoelement current will have a component proportional to the spectral density of the investigated function. As the angle α varies from 0 to 30° all values of spectral density will be obtained with periods between D (the window width, fundamental frequency) up to d (the grating period). The frequency Ω determines the rate at which the results are obtained. The possibility exists of varying α manually, thus permitting interesting frequency components to be found rapidly. The use of narrow band amplifiers tuned to some harmonic of Ω is useful in filtering out closely related components. The maximum intensity is that of the harmonic with index close to $a/d \gg 1$. The output is to a self-balancing potentiometer, with the lateral displacement of the paper controlled by a special follower servomechanism to give a scale proportional to frequency as the angle α is varied. In the

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instrument constructed the grating period is $d = 0.2$ mm, the maximum relative angle of rotation is $14^{\circ}10'$, the window $D = 100$ mm. The resolution permits harmonics of D up to index 250 to be measured. Some test spectrograms of multi-frequency sinusoidal signals are given. There are 9 figures.

ASSOCIATION: Nauchno-issledovatel'skiy radiofizicheskiy institut pri GGU (Scientific Research Institute of Radiophysics of GGU)

SUBMITTED: March 6, 1961

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B139/B102

24,1300

AUTHORS: Andreyev, G. A., Zverev, V. A.

TITLE: Method of investigating the statistical properties of media with random inhomogeneities by means of continuous frequency-modulated acoustic irradiation

PERIODICAL: Akusticheskiy zhurnal, v. 8, no. 1, 1962, 42 - 48

TEXT: When investigating the propagation of waves in static inhomogeneous media, the characteristics of inhomogeneities and the signal parameter changes caused by them must be known. The authors conducted experiments with saw-tooth sound waves. The signals arriving at the receiver are delayed against the carrier wave by the time $\Theta_i(t) = 2r_i(t)/c$ ($r_i(t)$ = distance between the i -th elementary scattering space and the sound pickup). The correlation function of the sum of signals equals the sum of correlation functions of the summands, i.e.,

$$\psi_u(\tau) = \overline{u(t)u(t+\tau)} = \sum_{i=1}^N \overline{u_i(t)u_i(t+\tau)} \quad (3). \quad \text{Via the expression}$$

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